

# The ownership and financing of innovation in R&D races

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#### Abstract

This paper develops a theory of the organization and financing of innovation activities. We model the relationship between a firm and its research unit in the context of a R&D race. Integration, venture capital financing, and strategic alliances emerge as optimal responses to competitive pressures of the R&D race, research intensity and the stage of the R&D project, and the severity of the financial constraints. We show that the choice of organization and financial structure of R&D can be used strategically by a firm to accelerate its R&D activity, by increasing its research effort. Furthermore, we show that corporate venture capital and strategic alliances, by protecting research units' incentives to supply research effort, play a strategic role as a source of financing alternative to independent venture capital. Thus, we provide a rationale for the use of corporate venture capital and research alliances as competitive tools in R&D races. Finally, our paper offers several novel testable predictions regarding the observed cross-sectional variation of organization and financial structures such as a function of variables as research intensity, extent of product market competition and stage of product development.

Keywords: R&D races, financing, venture capitalists, vertical integration

JEL Classifications: G24, L22, O32

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#### 1. Introduction

The importance of Research & Development (R&D) activities in mature, "knowledge based" economies has increased dramatically in the recent years. In globally competitive environments, innovation plays a crucial role in the value creation process, and R&D management has become a strategic tool to gain competitive advantage. This raises some fundamental questions: What is the optimal ownership and financial structure of innovation? Should innovation be performed within a firm, or should it be outsourced to specialized research units external to the firm? Should basic research be financed by outside private equity (i.e. independent venture capitalists) or through strategic alliances and corporate venture capital ? What is the effect of competitive pressures in R&D races on the ownership and financing of innovation?

For their R&D activities, firms choose a variety of organizational and financial arrangements. For instance, Nokia, the telecommunications giant, undertakes basic research mainly in-house or in one of its research sub-divisions.<sup>1</sup> In the computer industry, for its Apple II model, Apple Computer outsourced 70% of its manufacturing costs, including critical components (such as design) to benefit from its vendors' R&D and technical expertise.<sup>2</sup> In the pharmaceutical industry, Merck, the drug firm, invests 95% of its research spending in in-house R&D and only 5% in external research laboratories (Ambec and Poitevin, 2000). Another big player in the same industry, Novartis, has more recently entered into an \$800 million "research alliance" with Vertex Pharmaceuticals to benefit from the potential emerging technologies generated by Vertex.<sup>3</sup>

Explaining the observed variety of organization and financial structures of R&D activities requires a better comprehension of the basic mechanisms that govern the economics and finance of

<sup>&</sup>lt;sup>1</sup> Day, Mang, Richter and Roberts," The innovative organization," <u>The McKinsey Quarterly</u> n.2, 2001.

<sup>&</sup>lt;sup>2</sup> Quinn and Hilmer, "Make versus buy: Strategic outsourcing," <u>The McKinsey Quarterly</u> n. 1, 1995.

<sup>&</sup>lt;sup>3</sup> Agarwal, Desai, Holcomb, and Oberoi, "Unlocking the value in Big Pharma," <u>The McKinsey Quarterly</u> n.2, 2001.

innovation.<sup>4</sup> In modern economies, innovation and R&D may take place in a variety of organization and financial forms, ranging from small "high-tech" boutiques financed by independent venture capital and/or the public equity market, to R&D divisions of large manufacturing firms. In addition, new forms of organization of R&D have emerged in the recent years, where small specialized research concerns reach agreements with large manufacturing companies that develop their research into finished products (see, for example, Robinson 2000). These agreements, which may take the form of corporate venture capital or "strategic alliances," offer a substitute to either independent venture capital or the direct integration of research units through mergers and acquisitions.<sup>5</sup> While considerable theoretical and empirical research has been devoted to understanding independent venture capital financing and IPOs,<sup>6</sup> there has been so far limited work on the basic economic and financial implications of strategic alliances and corporate venture capital.<sup>7</sup>

In this paper, by explicitly modeling the choice of organization and financing of innovation activities in the context of a R&D race, we develop a unified theory of integration, venture capital financing and strategic alliances. In our paper, the organization and financing of innovation emerge in equilibrium as optimal responses to four fundamental factors: i) the competitive pressures of the R&D race, ii) the research intensity of the R&D project, iii) the stage of the research and product development, and iv) the severity of financial constraints.

We show that a firm can use the choice of organization and financing of R&D to accelerate strategically its R&D activity, by increasing its research effort. The choice of organization structure, by

<sup>&</sup>lt;sup>4</sup>Zingales (2000) gives an excellent discussion of the challenges faced by contemporary corporate finance in addressing these issues.

<sup>&</sup>lt;sup>5</sup> "Strategic alliances" include a variety of different agreements in which two independent firms pool their resources and capabilities to pursue a common goal. In this paper, we will focus on "research "alliances, in which the main focus of the alliance is the pursuit of an R&D project. Often, in such alliances, one party of the alliance (the "investor") finances most the necessary R&D expenditures incurred by the other party, in exchange for an equity position or as (partial) pre-payment of subsequent licencing fees (se, for example, Parise and Sasson, 2002, and Drzal, 2002).

<sup>&</sup>lt;sup>6</sup> See, for example, Zingales (1995), Sahlman (1990), Gompers (1995), Gompers and Lerner (1999), Hellmann (1998, 2000), Repullo and Suarez (1998), Helmann and Puri (2000), Chemmanur and Fulghieri (1999), Kaplan and Stromberg (2000), Casamatta (2001), Maksimovic and Pichler (2001), among others.

<sup>&</sup>lt;sup>7</sup>A notable exception are Gompers and Lerner (1998) and Hellmann (2002).

determining the allocation of the property rights of the innovation, affects individual incentives and can be used by a firm to secure a strategic advantage in the R&D race. Furthermore, we show that corporate venture capital and strategic alliances can play a distinctive role as a source of financing of R&D in alternative to independent venture capital. Financing R&D activities through corporate venture capital or research alliances allows research units to maintain better incentives and therefore to supply more research effort. Thus, our paper offers a strategic rationale for the use of corporate venture capital and research alliances as competitive tools in R&D races. Finally, our paper provides several novel testable empirical predictions regarding the observed cross-sectional variation of organization and financial structures as a function of variables as research intensity, extent of product market competition and stage of product development.

We consider two firms that compete in a (downstream) output market and are engaged in a R&D race. Research is generated by each firm in collaboration with a research unit, which can either be integrated within the firm, as an "in-house" research division, or be set up as an external and independent upstream entity. Research is costly and requires the outlay of a certain fixed investment expenditure. The probability that research is successful, and thus leads to an innovation, depends on the (unobservable) level of effort exerted by both the research unit and the firm. If research is successful, the innovation is further developed by the firm into a marketable product. The payoff of the R&D cycle depends on whether one, or both, firms are successful, and on the level of competition in the product market.

In the spirit of Grossman and Hart (1986) and Hart and Moore (1990), in our model contracts are incomplete: research units and firms cannot contract ex-ante on the delivery of a certain innovation. The incomplete contracting framework is particularly appropriate in the R&D context because, by their very nature, innovation activities are difficult to define ex-ante, and therefore fundamentally uncontractible. When contracts are incomplete, a key feature of the contracting problem is the ex-ante determination of the residual control rights, that is the allocation of the property rights of the innovation. The choice of the property rights (and financing) of the innovation is important because, by affecting the allocation of the surplus between the research unit and the firm, it influences the incentives to exert effort and thus the outcome of the R&D race.

In our model firms and research units must decide on the allocation of the property rights of the innovation and the financing of the research activity. Each firm and its research unit may decide to merge and integrate the research unit as one of the firm's internal divisions, in which case the property rights of the innovation are allocated to the firm. Alternatively, they may decide to remain as separate entities, in which case the research unit is an independent (upstream) entity, endowed with the full property rights of the innovation. Further, investment expenditures may be financed by the research unit directly, if it has sufficient amount of funds, by an independent venture capitalist, or by the firm (or a combination).

The choice of organization and financial structure depends also on the presence of financial constraints for the research unit. When the research unit is financially constrained, ex-ante bargaining between the firm and the research unit may not result in the choice of the organization structure that maximizes joint surplus. This happens because the research unit may not be able to compensate the firm in cases where the firm has the initial ownership of the innovation (or all the bargaining power) and the optimal organization structure involves the transfer of the ownership of the innovation to the research unit in exchange for a monetary payment.

The extent of financial constraints, however, may be mitigated by the ability of the research unit to raise capital by selling equity to an external, independent venture capitalist. Raising outside equity will allow the research unit to fund the fixed investment and possibly make a transfer payment to the firm. The disadvantage of such a strategy is that external financing by an independent venture capitalist dilutes the research unit's incentives to exert effort in the R&D race. The firm may therefore obtain a strategic advantage in the R&D race by providing direct financing to the research unit in the form of corporate venture capital or as a research alliance. Since the division of the surplus between the firm and the research unit is governed solely by the initial allocation of the property rights of the innovation, such source of financing has the advantage of not adversely affecting the research unit's incentives to exert effort. Thus, in our model, corporate venture capital and research alliances emerge endogenously as a source of financing alternative to independent venture capital which can be used as strategic tools in a R&D race.

The optimal organization and financial structure in our model is the result of the interaction of

four underlying factors. The first factor is due to the impact of the allocation of property rights on the incentives to exert effort. As common in the incomplete contracting literature, this factor alone leads to an organization structure where the property rights of the innovation are allocated to the more productive party. The second factor is a cost sharing effect, and it captures the benefits of sharing knowledge and the costs of effort between the research unit and the firm. This factor favors organization structures where both parties have incentives to exert effort. The third factor is strategic in nature, and is due to the impact of the organization and financial structure on the equilibrium outcome of the R&D race. Since in our model research efforts exerted by the two competing firms are strategic substitutes, this factor favors organization and financial structures that accelerate a firm's research effort. The final factor is due to the presence of financial constraints and therefore the firms's ability to extract payments from the research unit. This factor would favor either an integrated organization structure, where the firm retains the ownership of the innovation, or a non-integrated organization where the research unit raises funds from an external venture capitalist.

Our main results are summarized in Table II. For simplicity, we solve our model in two steps. We consider first the case in which both research units and their downstream firms are not subject to financial constraints. In this case, each research unit-firm team may achieve through bilateral bargaining and compensatory transfers the organization structure that maximizes joint surplus, independently from the initial allocation of the bargaining power. We find that the research unit is more likely to be optimally integrated within the downstream firm when research intensity (proxied by research units' productivity) is low, R&D competition is stronger, and when the R&D race involves late-stage research. The research unit is instead more likely to be organized as a separate, independent company when research intensity is moderate to high, when the level of R&D competition is lower, or the research in the R&D cycle is early-stage research.

We examine next the effect of financial constraint by assuming that the research unit is, more realistically, financially constrained. We find that, when financial constraints are relevant, integration emerges also when the research intensity is moderate and is more likely when competition in the R&D race is more severe, or the R&D cycle involves late-stage research. If research intensity is sufficiently

high, non-integration with financing by an independent venture capital emerges when the competition in the R&D race is less intense, or the R&D cycle involves early-stage research.

We find also that, as research intensity increases, the competition in the R&D race becomes stronger, or the R&D cycle involves more late-stage research, external financing by independent venture capital decreases and it is gradually replaced by corporate venture capital supplied by the downstream firm. Finally, if research intensity is sufficiently high and competition is sufficiently fierce, it becomes beneficial for the firm to unilaterally allocate the property rights of the innovation to the research unit and finance the investment expenditure by entering into a "strategic alliance" with the research unit.

Our paper is linked to a new, emerging stream of literature on the organization structure of innovation activities. In a seminal paper, Aghion and Tirole (1994) examine the optimal organization structure between a research unit and a downstream firm, and they show that the ownership of innovation should be allocated to the more productive party in the relationship. While Aghion and Tirole's paper sheds important insights on the question of the optimal organization structure of innovation, it analyzes the optimal allocation of property rights of an innovation in isolation from the competitive conditions in the final output market. In reality, an important feature of R&D activities is that they are typically conducted within the context of a R&D race. Thus, the effect of competitive pressures exerted by R&D races on the ownership structure and financing of innovation remains an open issue. Robinson (2001) provides a model in which strategic alliances are used by companies' headquarters as a commitment device to overcome the adverse incentives of internal capital markets described in Stein (1997). Hellaman (2002) develops a theory of corporate venture capital as a astrategic investment. Ambec and Poitevin (2000) examines the optimal organization structure of R&D in the presence of asymmetric information between a risk averse research unit and a downstream firm.

In a related paper, Inderst and Mueller (2001) examine the impact of competition among venture capitalists on the outcome of their bargaining with entrepreneurs and on industry equilibrium. Finally, Casamatta (2001) examines the optimal financial contracts between an entrepreneur and a venture capitalist, where venture capitalists supply both funds and valuable advice.

Closer to our model, Bhattacharya and Chiesa (1995) examine the role of intermediaries (such

as banks) as vehicles for sharing information between firms engaged in a R&D race. More recently, d'Aspermont, Bhattacharya and Gerard-Varet (2000) examine the problem of bargaining under asymmetric information over the licencing and transfer of information between two firms engaged in an R&D race. The main difference of our paper and theirs is that they assume the ownership structure and financing of the firms involved in the R&D race as given, and focus instead on the interim information sharing and its effects on ex-ante research incentives.<sup>8</sup>

Our paper is organized as follows. In section 2, we outline the basic model. As a benchmark, in section 3, we consider the complete contracting case. In section 4, we examine the effect of competition in the R&D race on the choice of organization structure of two competing customer-research unit pairs in the absence of financial constraints. In section 5, we extend our basic model to examine the effects of financial constraints on the optimal organization and financial structure of competing pairs. Section 6 summarizes our major findings and offers some empirical predictions. Section 7 concludes.

#### 2. The basic model

We consider two pairs of *research units* and their downstream firm, the *customers*, engaged in a R&D race. Research units undertake basic research which may lead to an innovation. Downstream customers complete the R&D project by developing the innovation into a product suitable for markets. For simplicity, we assume that each costumer is already paired at the beginning of the game with a research unit, and we study the game played by the two customer-research unit pairs competing in the R&D race.<sup>9</sup> We denote each customer-research unit pair with i, j = 1, 2.

We model the R&D race and the innovation process as taking place in two consecutive stages, which may be thought of as the steps necessary to complete a full R&D cycle. The first stage of the cycle, which we denote as the *research stage*, is mainly devoted to basic (or fundamental) research and

<sup>&</sup>lt;sup>8</sup> Our paper is also (indirectly) related to the literature on the capital and product market interaction, such as Brander and Lewis (1986).

<sup>&</sup>lt;sup>9</sup> In this paper, we assume that the research unit and the customer have already entered into an exclusive agreement, and they bargain in the interim over the licencing fee. A more general model would examine the ex-ante matching of each research unit with a customer.

is performed by the research unit in collaboration with the customer. The output of the research stage consists mainly in soft information, that is new knowledge in the form of an *innovation*. Even if the research stage is successful, the information produced at this stage (the innovation) is quite preliminary and is not sufficient by itself to obtain a final product directly exploitable in the product market. To obtain a final, marketable product, the information produced at the research stage must be further elaborated in a second stage, which we denote as the *development stage*, executed by the customer.<sup>10</sup>

The entire R&D cycle is inherently risky. The outcome of the research stage may be either an innovation, *success*, or may result in no innovation, *failure*. The probability of success depends on the research effort by both the research unit and the customer. We denote the effort level provided by the research unit in pair i, i = 1, 2, by  $e_i$  and the effort level provided by the customer by  $E_i$ . We can interpret research effort as the amount of knowledge that must be supplied as input of the research process which affects the probability of obtaining an innovation. Thus, the probability that the research stage successfully obtains an innovation,  $\boldsymbol{\epsilon}_{ij}$  is given by:

$$\epsilon_i = \Pr \{ \text{Success} \} = \min \{ \alpha e_i + E_i, 1 \}, e_i \ge 0, E_i \ge 0, i = 1, 2.$$
 (2)

We characterize the marginal efficiency (productivity) of the research unit's effort relative to the customer's with the parameter  $\alpha$ , with  $0 \le \alpha \le \overline{\alpha}$ . If  $\alpha > 1$ , the research unit is more productive than the customer in the research stage of the innovation process. Alternatively, if  $\alpha < 1$ , the customer is more productive than the research unit. The parameter  $\alpha$  can be interpreted as measuring the degree of research intensity of the R&D project. Thus, high research intensive R&D projects in which the research unit is relatively more efficient are characterized by  $\alpha > 1$ . Conversely, less research intensive R&D projects in which the research unit is relatively more efficient are characterized by  $\alpha > 1$ . Conversely, less research intensive R&D projects in which the customer is relatively more efficient are characterized by  $\alpha < 1$ . Exerting effort is costly, representing the monetary and non monetary costs necessary to produce the knowledge required in the research stage. We assume that effort costs are convex: the cost for the research unit to produce one unit of effort is given by  $\frac{1}{2} \kappa e^2$ , with  $\kappa \ge 1$ ; similarly, the cost for the customer to produce one unit of effort is  $\frac{1}{2} \kappa E^2$ . This cost convexity captures the property that there are benefits for the research unit and the

<sup>&</sup>lt;sup>10</sup> Note that the product developed by the customer could be either a good for the final consumption or an intermediate good to be further processed before consumption.

customer from sharing knowledge at the research stage.

In addition to the individual effort levels (e, E), the research stage requires a certain (fixed) investment expenditure K > 0. This investment represents the monetary costs that must be borne in order to conduct the research activity in the first place. For simplicity, we assume that the level of investment is fixed, and that it does not affect the probability of success. Further, we assume that it is always optimal to sustain the investment expenditure K (that is, the full R&D cycle is a positive NPV project).

If the research stage of the R&D cycle is successful, the customer must further develop the innovation before it can be transformed into a marketable product. The development stage is risky as well: it is successful with probability q and unsuccessful with the complement probability, 1 - q. We interpret the parameter q as characterizing the type of research conducted in the R&D cycle. Early-stage research is intrinsically riskier, and is characterized by a lower probability q. Conversely, late-stage research is more likely to be successfully developed into a marketable product and has a higher success probability q. Thus, the parameter q measures the "stage" of the R&D project.<sup>11</sup>

A critical feature of our model is that contracts are incomplete. First, we assume that the level of effort exerted by the research unit, e, and by the customer, E, are not contractible ex-ante. This assumption captures the notion that inputs of knowledge in the research stage are inherently not contractible between the two parties. Second, we assume that contracts for the delivery of innovation cannot be designed and enforced. Since the output of the research stage is soft information, the two contracting parties are not able to enter ex-ante into a binding contract for the delivery of such innovation. The inability to contract on the delivery of the innovation captures the intuitive notion that such activities are, by their very nature, difficult to define ex-ante. This implies also that customers and research units cannot write ex-ante contracts, such as incentive or other financial contracts (such as equity), that reward

<sup>&</sup>lt;sup>11</sup> For example, a pharmaceutical research project devoted to the development of a new drug is substantially riskier and less likely to be successful when it is in pre-Phase I stage, and is characterized by a low value of q; conversely, the likelihood of obtaining a new marketable drug is higher when the project is during Phase III trials, which are characterized by a higher value of q.

the research unit for the delivery of a certain innovation.<sup>12</sup>

The only possible ex-ante agreement between the customer and the research unit is the allocation of the property rights of the innovation. In this paper, we consider two possible configurations of the property rights. In the first configuration, the research unit has full property rights of the innovation. This configuration may be interpreted as one in which the research unit is an independent entity, external to the customer. We denote this organization structure as the *non-integrated* case, N. In the second configuration of the ownership structure, the innovation is owned by the customer. This configuration may be interpreted as the one in which the research unit is fully integrated within the customer, as one of its operational unit. We denote this organization structure as the *integrated* case, I.

The game unfolds as follows. We model the R&D race as a four-period game (see the time line in Table 1). In the first period (t = 1), denoted as the *organization choice* stage, each customer-research unit pair bargains and chooses simultaneously the allocation of the property rights over the innovation. That is, each pair chooses its organization form and decides whether to engage in the R&D race as integrated (I) or non-integrated (N) pairs. An important feature of the model is that the optimal allocation of the property rights of the innovation between customers and research units may require the transfer of the ownership of the innovation from one party to the other, in exchange for a suitable monetary payment.<sup>13</sup> The possibility of such payment may be impaired by the fact that one of the bargaining parties has limited access to financial resources, making the transfer of the ownership of the innovation impossible. We initially assume that neither the customer nor the research unit are financially constrained. This implies that, given *any* (unspecified) initial allocation of bargaining power, each customer-research unit pair will achieve through bilateral bargaining and compensatory payments the organization form that maximizes total profits.

<sup>&</sup>lt;sup>12</sup>Note that this property holds whether or not the revenues accruing to the customer from the ultimate exploitation of the innovation are verifiable. This happens because the division of surplus between customers and research units is determined (in the interim bargaining stage) solely by bargaining power and the ex-ante allocation of the property rights. Since bargaining parties can always refuse to trade, any incentive contract that gives payoffs different from the one resulting from interim bargaining will be renegotiated away (see Hart and Moore ,1990, page 1126, footnote 7).

<sup>&</sup>lt;sup>13</sup> Thus, such transfers can be interpreted as the proceeds from the sale the ownership of the innovation.

Given the allocation of property rights made in the first period of the game, in the second period of the game (t = 2), the *research* stage, each member of a customer-research unit pair chooses the level of effort (e, E) in the R&D race. Effort levels are chosen simultaneously by each pair, after observation of the organization structure chosen by the rival pair. Effort exerted by each pair determines the probability of success in the research stage according to Eq. (1). Investment expenditures K are assumed to be contractible. We assume that, if the non-integrated form is chosen, the research unit sustains the expenditure K; if instead the integrated form is chosen, expenditure K is borne by the customer.

The outcome of the initial research stage is known at time t = 3. If the research stage is successful, that is an innovation is obtained, in the third period of the game, the *bargaining* stage, the research unit and the customer bargain over the expected surplus that is generated in the subsequent development stage. Given the bargaining power of the two parties, the division of the surplus depends on the allocation of the property rights of the innovation chosen in the first stage of the game. If the research unit is integrated within the customer, the customer has the property rights of the innovation and will be able to exploit it commercially unilaterally. Thus, in this case, the customer will be able to appropriate the entire surplus from the innovation. If, instead, the research unit is non- integrated, it has the property rights of the innovation. The research unit and the customer then bargain over the licencing fee,  $\ell$ , that the customer must pay to the research unit for the right to develop and exploit the innovation commercially. For simplicity, we assume that in this case the research unit and the customer have the same bargaining power, and that they divide the expected surplus equally.<sup>14</sup> We also assume that, while the delivery of the innovation is not contractible, licencing fees and monetary transfers between the customer and the research unit are verifiable.

In the last period of the game (t = 4), the customer implements the second stage of the R&D process, the *development* stage. If this second stage is successful, the product is fully developed and ready for market. If instead the second stage is not successful, the project is abandoned and the customer

<sup>&</sup>lt;sup>14</sup> Note that the feature that the research unit obtains zero surplus in the integrated structure is not crucial for our results. What is important is that the research unit receives a smaller fraction of the surplus under integration than non-integration. Also, our analysis can be extended to accommodate alternative assumptions on the distribution of the bargaining power between customers and research units.

earns zero profits. If successful, the payoff to a customer depends also on the success or failure of the rival pair engaged in the R&D race. We assume that if only one of the two customers is successful, it earns monopolistic profits, which, for notational simplicity, we normalize to 1. If, instead, both customers are successful, they compete in the output market and earn competitive profits  $C \le 1$ . We assume that the level of competitive profits C measures the degree of competition in the output market between the two customers, which in turn depends on the degree of differentiation in the two product markets. Specifically, if the two customers have undifferentiated products and engage in Bertrand competition in the output market, we have C = 0. If instead the two product markets are perfectly segmented, each customer is able to earn the monopolistic profits, and C = 1. In the intermediate cases of imperfect product differentiation and imperfectly competitive markets we have 0 < C < 1. Note that competitive losses occur only if both customers successfully complete the development stage, which happens with probability  $q^2$ . We denote the amount of expected losses due to competition by L =  $q^2(1 - C)$ . For a given probability of successful development q, the expected losses are lowest when there is no direct competition in the output market (when C = 1), and are greatest when the level of competition is highest (C = 0). Further, for a given level of competition C, the expected losses are higher when the success probability q is greater, that is when the R&D cycle involves more advanced stage research.

#### **3.** The complete contracting case.

We start our analysis by characterizing (as a benchmark) the first-best optimum that can be achieved when contracts are complete. In a first-best, the level of effort exerted by the research unit, e, and by the customer, E, and the nature of innovation are all fully contractible. Since in the first-best case the choice of organization (and financing) form is irrelevant, we need only to determine the equilibrium choice of effort exerted by the two competing customer-research unit pairs in the research stage of the game. Given the total probability of success at the research stage chosen by its competitor,  $\epsilon_j$ , customerresearch unit pair i chooses its effort levels (e<sub>i</sub>, E<sub>i</sub>) so as to maximize joint profits from innovation,  $\pi_T^{FB}$ , that is

$$\max_{\{e_i, E_i\}} \pi_T^{FB} = (\alpha \ e_i + E_i)(1 - \epsilon_j) q + (\alpha \ e_i + E_i) \epsilon_j (q - L) - \frac{\kappa}{2} \left( e_i^2 + E_i^2 \right)$$
$$= (\alpha \ e_i + E_i) \left( q - L \epsilon_j \right) - \frac{\kappa}{2} \left( e_i^2 + E_i^2 \right)$$
$$\text{s.t. } \alpha \ e_i + E_i \le 1, e_i \ge 0, E_i \ge 0.$$

We have the following Lemma.

*Lemma 1:* The optimal responses for a customer-research unit pair that correspond to the first-best problem (2) are given by:

$$e_{i}^{FB}(\epsilon_{j}) = \frac{\alpha}{\kappa} \left( q - L \epsilon_{j} \right), \quad E_{i}^{FB}(\epsilon_{j}) = \frac{1}{\kappa} \left( q - L \epsilon_{j} \right), \quad \text{if } \frac{1 + \alpha^{2}}{\kappa} \left( q - L \epsilon_{j} \right) < 1,$$

$$e_{i}^{FB}(\epsilon_{j}) = \frac{\alpha}{1 + \alpha^{2}}, \qquad E_{i}^{FB}(\epsilon_{j}) = \frac{1}{1 + \alpha^{2}}, \quad \text{if } \frac{1 + \alpha^{2}}{\kappa} \left( q - L \epsilon_{j} \right) \ge 1.$$
(3)

Thus, the total probability of successfully completing the initial research stage that corresponds to the effort levels (3) is given by:

$$\mathbf{R}_{i}^{FB}(\boldsymbol{\epsilon}_{j}) \equiv \alpha \mathbf{e}_{i}^{FB}(\boldsymbol{\epsilon}_{j}) + \mathbf{E}_{i}^{FB}(\boldsymbol{\epsilon}_{j}) = \min\left\{\frac{1+\alpha^{2}}{\kappa}\left(q-L\,\boldsymbol{\epsilon}_{j}\right), 1\right\},$$
(4)

and it represents the optimal combined response of a customer-research unit pair i, given the total probability of success of the rival pair  $\boldsymbol{\epsilon}_{j}$ . For simplicity, in this paper we assume that the parameter  $\boldsymbol{\kappa}$  is sufficiently large that  $\boldsymbol{\epsilon}_{i} < 1$  and that the corresponding symmetric Nash-equilibrium is stable.<sup>15</sup> Thus, the Nash-equilibrium of the research stage is characterized as follows.

*Proposition 1. (Complete contracting case)* In the case of complete contracting, the Nashequilibrium levels of effort (e<sup>FB</sup>, E<sup>FB</sup>) at the research stage are given by :

$$e^{FB} = \frac{\alpha q}{\kappa + L(1 + \alpha^2)}, \quad E^{FB} = \frac{q}{\kappa + L(1 + \alpha^2)}, \quad \epsilon^{FB} = \frac{(1 + \alpha^2) q}{\kappa + L(1 + \alpha^2)}.$$
(5)

The allocation of research effort between customers and research units is uniquely determined by their relative productivity,  $\alpha$ , and the benefits of sharing knowledge between them due to cost convexity. This effect, which we identify as the *knowledge sharing* effect, may be detected by noting that when customers and research units are equally productive ( $\alpha = 1$ ), the first best program (5) requires equal

<sup>&</sup>lt;sup>15</sup>The complete analysis is available in Fulghieri and Sevilir (2003).

effort allocation between them.

The effect of competition on the equilibrium level of research effort (and on the total probability of success in the R&D race) can be seen by contrasting the competitive case of Proposition 1 with the case in which both rival pairs are effectively monopolists in their respective markets. The monopolistic case corresponds in our model to a situation in which both customer-research unit pairs earn the monopolistic profits even if they are both successful in the R&D cycle, and it is obtained by setting C = 1. This implies that L = 0, and from Proposition 1, the optimal probability of success of the research stage in the complete contracting case under monopoly is given by

$$\boldsymbol{\epsilon}^{\mathbf{M}} \equiv \frac{1+\boldsymbol{\alpha}^2}{\kappa} \, \mathbf{q} \, . \tag{6}$$

Comparing (6) with (5) reveals that the total probability of success will be higher under monopoly than in the competitive case, that is  $\boldsymbol{\epsilon}^{M} \geq \boldsymbol{\epsilon}^{FB}$ , for all ( $\boldsymbol{\alpha}$ , L). This implies that competition between the two rival pairs in the R&D race reduces the total probability of success in the race. This property follows from the fact that competition between rival pairs decreases each pair's expected profits, leading to lower optimal effort. It can also be seen that this negative effect is more pronounced when the competition between rival pairs becomes more intense, that is the parameter C is lower, and the R&D cycle involves late-stage research, that is the success probability q is higher.

#### 4. Innovation and competition

When contracts are incomplete, the levels of research effort exerted by research units and customers are not contractible. In this case, customers and research units privately choose effort on the basis of their incentives. Non contractibility of the delivery of innovation prevents customers from designing incentive contracts for research units that are contingent on the delivery of the innovation. Since the two parties can always refuse to trade, any ex-ante contract can be renegotiated away and is therefore useless. The allocation of the property rights of the innovation, instead, by affecting the distribution of the joint surplus between research units and customers, will determine individual incentives. Thus, the organizational form affects the level of effort that research units and customers exert

in the research stage.

We now solve the model backwards. We first analyze the effort decision made by each customerresearch unit pair. Given the organizational form chosen in the first period of the game, the two customerresearch unit pairs determine simultaneously their respective levels of effort after observation of the organization structure chosen by the rival pair. Consider first the case of integration, where the ownership of the innovation belongs to the customer. Now, if the innovation process is successful, in the bargaining stage (t = 3) the customer appropriates all the expected value of the innovation and the research unit receives no payoff. Thus, in this organization form the customer captures the entire value of the innovation and fully internalizes costs and benefits from exerting effort. The research unit, instead, exerts the minimal level of effort possible, which we normalize to zero (e = 0). Given the rival pair's total effort  $\boldsymbol{\epsilon}_{j}$ , the customer of pair i chooses its level of effort  $E_{i}$  so as to maximize its expected profits,

$$\max_{\mathbf{E}_{i}} \pi_{\mathbf{C}}^{\mathbf{I}} = \mathbf{E}_{i} (\mathbf{q} - \mathbf{L} \boldsymbol{\epsilon}_{j}) - \frac{\kappa}{2} \mathbf{E}_{i}^{2},$$
  
s.t.  $\mathbf{0} \leq \mathbf{E}_{i} \leq 1.$  (7)

The corresponding reaction function  $\mathbf{R}_{i}^{I}(\boldsymbol{\epsilon}_{j})$ , and the total probability of success  $\boldsymbol{\epsilon}_{i}$ , are given by:

$$\mathbf{R}_{i}^{\mathrm{I}}(\boldsymbol{\varepsilon}_{j}) = \frac{\mathbf{q} - \mathbf{L}\,\boldsymbol{\varepsilon}_{j}}{\kappa} < 1\,. \tag{8}$$

Consider now the case of non-integration, where the research unit has the ownership of the innovation. If the initial research stage is successful, in the third period of the game (t = 3) the research unit and the customer bargain over the licencing fees  $\ell$  that the customer must pay to the research unit to exploit the innovation commercially. The bargaining power of the research unit derives from the threat to exercise its ownership rights and withhold the innovation from the customer. Since the research unit and customer have the same bargaining power, they split the net expected profits derived from the commercial exploitation of the innovation equally. Thus, in this organization form, both customers and research units have an incentive to exert effort. Given the total level of effort  $\epsilon_j$  chosen by then rival pair j, the levels of effort ( $e_i$ ,  $E_i$ ) chosen by the customer and the research unit of pair i solve

$$\max_{\mathbf{e}_{i}} \pi_{\mathrm{RU}}^{\mathrm{N}} = (\alpha \ \mathbf{e}_{i} + \mathbf{E}_{i}) \frac{1}{2} (\mathbf{q} - \mathbf{L} \ \mathbf{e}_{j}) - \frac{\kappa}{2} \ \mathbf{e}_{i}^{2}$$
s.t.  $\alpha \ \mathbf{e}_{i} + \mathbf{E}_{i} \le 1$ ,  $\mathbf{e}_{i} \ge 0$ ,
(9)

for the research unit, and

$$\max_{\mathbf{E}_{i}} \pi_{\mathbf{C}}^{\mathbf{N}} = (\alpha \mathbf{e}_{i} + \mathbf{E}_{i}) \frac{1}{2} (\mathbf{q} - \mathbf{L} \mathbf{e}_{j}) - \frac{\kappa}{2} \mathbf{E}_{i}^{2}$$
s.t.  $0 \le \alpha \mathbf{e}_{i} + \mathbf{E}_{i} \le 1$ ,  $\mathbf{E}_{i} \ge 0$ .
$$(10)$$

for the customer. We have the following.

#### Lemma 2. The optimal responses for a customer-research unit pair that correspond to the

optimization problems (9) and (10) under non-integration are given, respectively, by:

$$\mathbf{e}_{i}^{N}(\boldsymbol{\epsilon}_{j}) = \frac{\alpha}{2\kappa} \left( \mathbf{q} - \mathbf{L}\boldsymbol{\epsilon}_{j} \right), \quad \mathbf{E}_{i}^{N}(\boldsymbol{\epsilon}_{j}) = \frac{1}{2\kappa} \left( \mathbf{q} - \mathbf{L}\boldsymbol{\epsilon}_{j} \right). \tag{11}$$

The total probability of success corresponding to the effort levels (11) is now

$$R_i^{N}(\epsilon_j) = \frac{1+\alpha^2}{2\kappa} (q - L \epsilon_j).$$
(12)

It is important to note that, from Eq. (11) and Eq. (12), individual efforts ( $e_i$ ,  $E_j$ ) and the total probability  $\mathbf{R_i}^{N}(\boldsymbol{\epsilon_i})$  are a decreasing function of the rival pair's success probability  $\boldsymbol{\epsilon}_j$ .

The effect of the choice of organization structure on the success probability of a customerresearch unit pair may be examined by comparing of Eq. (8) and Eq. (12). In particular, it is easy to see that:

$$\mathbf{R}_{i}^{1}(\boldsymbol{\varepsilon}_{j}) \geq \mathbf{R}_{i}^{N}(\boldsymbol{\varepsilon}_{j}) \quad \text{iff} \quad \boldsymbol{\alpha} \leq 1.$$
(13)

Inequality (13) reveals that, given the total success probability of pair j,  $\boldsymbol{\varepsilon}_{j}$ , the effort level chosen by pair i results in a greater success probability in the integrated form than in the non-integrated form if and only if the customer is relatively more productive than the research unit, that is  $\boldsymbol{\alpha} < 1$ . In this case, a pair's reaction function under integration is to the right of the reaction function under non-integration (see Figure 1). Thus, the choice of the integrated form makes the customer-research unit pair "more aggressive" in the R&D race than it would otherwise be if it had chosen the non-integrated form. Conversely, when the research unit is more productive, that is  $\boldsymbol{\alpha} > 1$ , a customer-research unit pair is more aggressive in the R&D race in the non-integrated form of organization.

An important implication of (13) is that the choice of organizational form, by affecting incentives and effort choice, has a strategic implication for the R&D race. Since research efforts exerted by the two competing pairs are strategic substitutes, the overall effort chosen by a pair is a decreasing function of the rival pair's effort level. Thus, by choice of its organization structure, a customer-research unit pair can deter the rival pairs' research efforts by committing itself to a more aggressive stance in the R&D race. Under monopoly, there is no need to do so. When, instead, a customer-research unit pair is engaged in a R&D race, it may be beneficial to choose an organization structure that leads the pair to a more aggressive behavior in the race. We identify this feature as the *strategic effect* of the ownership structure.<sup>16</sup>

We now characterize the equilibrium of the R&D stage, given the preliminary choice of organization structure made by the two customer-research unit pairs. The ownership structure of the two customer-research unit pairs may be in one of three possible configurations: both research unit may be integrated with their customers (I-I case), they may be both non-integrated (N-N case), or one pair may be integrated, while the rival is non-integrated (N-I case) (the N-I case is discussed in the Appendix). Consider first the case in which both pairs have chosen an integrated organization structure. We have the following:

*Lemma 3.* If both customer-research unit pairs are integrated, the Nash-equilibrium of the R&D race is given by:

$$e^{I,I} = 0, \quad E^{I,I} = e^{I,I} = \frac{q}{\kappa + L},$$
 (14)

with corresponding equilibrium payoffs given by:

$$\pi_{\rm RU}^{\rm I,I} = 0, \ \pi_{\rm C}^{\rm I,I} = \pi_{\rm T}^{\rm I,I} = \frac{\kappa q^2}{2(\kappa + L)^2}.$$
 (15)

If both pairs have instead chosen the non-integrated organization structure, the Nash-equilibrium in R&D stage is characterized in the following lemma.

*Lemma 4.* If both customer-research unit pairs are non-integrated, the Nash-equilibrium of the R&D race is given by:

$$e^{N,N} = \frac{\alpha q}{2\kappa + L(1 + \alpha^2)}, \quad E^{N,N} = \frac{q}{2\kappa + L(1 + \alpha^2)}, \quad \epsilon^{N,N} = \frac{(1 + \alpha^2) q}{2\kappa + L(1 + \alpha^2)}.$$
 (16)

<sup>&</sup>lt;sup>16</sup> These results are reminiscent of the strategic effect of financial structure of Brander and Lewis (1986).

and the corresponding equilibrium payoffs are give by:

$$\pi_{RU}^{N} = \frac{\kappa q^{2}(2+\alpha^{2})}{2\left[2\kappa + L(1+\alpha^{2})\right]^{2}}, \quad \pi_{C}^{N} = \frac{\kappa q^{2}(1+2\alpha^{2})}{2\left[2\kappa + L(1+\alpha^{2})\right]^{2}}, \quad \pi_{T}^{N} = \frac{3\kappa q^{2}(1+\alpha^{2})}{\left[2\kappa + L(1+\alpha^{2})\right]^{2}}.$$
 (17)

The effect of incomplete contracting on the equilibrium choice of effort can be detected by contrasting Lemma 3 and 4 with Proposition 1. It is easy to see that for all pairs ( $\alpha$ ,L) the overall equilibrium level of effort under incomplete contracting is lower than the one under complete contracts, for both the integrated and non- integrated organization form. This is due to the fact that, under incomplete contracts, individual parties choose effort by maximizing their individual profits, rather than joint surplus.

Consider now the first stage of the game, in which the two customer-research unit pairs choose their organizational form. The choice of organization form is made simultaneously at the beginning of the game, t = 1. With no financial constraints, the two pairs will choose the organizational form that maximizes the combined profits from the R&D race, that is the efficient organization structure. The equilibrium organization form depends on the productivity of the research unit relative to the customer, measured by the parameter  $\alpha$ , and the amount of expected losses due to competition in the final output market, L, as follows.

*Proposition 2. (Innovation and competition)* Under incomplete contracting and no financial constraints, the optimal organization structure is given by:

- i) for  $\alpha < \sqrt{3}/3$  the optimal choice of organization is integration for all L;
- ii) for  $\sqrt{3}/3 \le \alpha \le 1$ , there is a critical level  $L_C(\alpha) \in [0, 1)$  such that both customer-research unit pairs choose the integrated form of organization if  $L > L_C(\alpha)$  and they choose nonintegration if  $L \le L_C(\alpha)$ ; furthermore, the critical level  $L_C(\alpha)$  is an increasing function of  $\alpha$ ;

#### iii) for $\alpha > 1$ , the optimal form of organization is non-integration for all L.

The effect of competition on the R&D race may be seen by contrasting the competitive case of Proposition 2 with the case in which both customers earn, if successful, monopolistic rents, that is when C = 1. By setting L = 0 in Proposition 2, the optimal organization structure under monopoly is as follows.

Proposition 3. (Optimal organization form under monopoly) Under incomplete contracting and no financial constraints, the optimal organizational structure under monopoly is given by: i) the research unit is optimally integrated within the customer if  $\alpha < \sqrt{3}/3$ ;

ii) the research unit is optimally non-integrated if  $\alpha \ge \sqrt{3}/3$ .

By comparing Propositions 2 and 3 it is easy to see that when  $\alpha < \sqrt{3}/3$  and when  $\alpha > 1$  the organizational form under competition and monopoly are the same. In these cases, the choice of organization structure is dictated by incentives and depends only on the relative productivity of the customer and the research unit, characterized by  $\alpha$ . When  $\alpha < \sqrt{3}/3$ , the customer is sufficiently more productive than the research unit, and integration is the optimal form of organization for all degrees of competition in the final output market. Conversely, when  $\alpha \ge 1$ , the research unit is more productive than the customer, and non-integration is optimal for all degrees of competition.

When the relative productivity of the research unit is only moderately lower than that of the customer, that is when  $\sqrt{3}/3 \le \alpha \le 1$ , the optimal form of organization depends on the productivity parameter  $\alpha$ , the extent of competition C, and the success probability of the development stage q. In this intermediate region the equilibrium choice of organization form is determined by the interaction of three effects. The first is the impact of the ownership structure on incentives. According to this effect, the ownership of the innovation should be given to the more productive party; thus, the customer-research unit pairs should be integrated when  $\alpha < 1$ , and non-integrated when  $\alpha > 1$ . The second effect is given by the benefits of sharing knowledge between customers and research units, and it is due to the convexity of effort costs. In the integrated form, the research unit has no incentive to exert effort, and the cost of producing innovation is entirely born by the customer. When the productivity of the customer is sufficiently high (that is when  $\alpha < \sqrt{3}/3$ ), the incentive effect dominates and this organization form is optimal. In the non-integrated organization form, instead, the research unit receives a portion of the value of the innovation and it has an incentive to exert some effort. Convexity of the cost function makes the non-integrated form desirable because it allows a more even allocation of effort between a customer and its research unit. Under monopoly, this is the only effect at work, making non-integration optimal when the research unit is moderately less productive than the customer, that is for  $\sqrt{3}/3 \le \alpha \le 1$  (see Proposition

The presence of competition in the R&D race adds a strategic consideration to the choice of the organization form. From Eq. (13) we know that when  $\alpha < 1$  the total effort exerted by a customer-research unit pair, that is the total probability of success in the R&D race,  $\epsilon$ , is greater under integration than non-integration. Thus, when  $\alpha < 1$ , the choice of the integrated form provides a customer-research unit pair with a strategic advantage over its rival: it commits the pair to a more aggressive behavior in the R&D race, which in turn reduces the rival pair's effort. This strategic advantage increases the desirability of integration and it is more valuable when expected losses from competition are greater, that is when L is sufficiently large (that is,  $L > L_c$ ). Thus, integration is more desirable when competition in the output market is more intense, that is for lower values of C, or when the R&D cycle involves late-stage research, that is for higher values of the success probability q. Finally, the critical value  $L_c$  increases with the productivity  $\alpha$ . As the relative productivity of the research unit increases, the strategic advantage of integration is reduced. This implies that the optimal organizational form under competition becomes more similar to the monopolistic case.

#### 5. Competition and the financing of innovation

When both the research unit and the customer are not subject to a financial constraint, they are able to achieve through bilateral bargaining the organization form which maximizes joint profits,  $B_T$ , given any (arbitrary) allocation of the initial bargaining power. The presence of financial constraints may prevent a customer-research unit pair to reach such an organization form. This possibility arises when a payment from one party to the other is required, and the presence of financial constraint impairs such payment. In this section, we assume that the research unit is, more realistically, subject to a financial constraint, while the customer is not.<sup>17</sup>

In the presence of financial constraints, the ability of a customer-research unit pair to achieve the organization form maximizing joint profits depends on the initial distribution of the bargaining power.

<sup>&</sup>lt;sup>17</sup> This assumption is consistent with the notion that the customer is a large company with access to a deep pool of capital, while the research unit is a small organization with limited access to financial resources. In this paper, we do not model explicitly the origin of such financial constraints, but we assume their presence as exogenously given.

For simplicity, we assume that the party that has the ownership of the innovation at the initial stage also has the initial bargaining power. If the research unit has the initial ownership of the innovation (and the initial bargaining power) and if integration is the efficient organization structure, then the research unit will transfer the ownership of innovation to the customer in exchange for a payment. Since the customer is not financially constrained, such a payment is always feasible. If instead the optimal form of organization is non-integration, the research unit will be able to extract from the customer its expected surplus through a side payment. If the investment expenditure K is not too large (that is, it is lower than the customer's expected surplus), then the research unit can finance the investment expenditure K. Thus, the customer-research unit pair will again be able to choose the organization form maximizing total profits. This implies that, in both cases, the outcome will be the same as the one discussed in the previous sections.

If the customer has the initial ownership of the innovation (and the initial bargaining power) in some cases the organization form maximizing total profits may not be reached.<sup>18</sup> This happens when non-integration is the optimal form of organization. In this case, the choice of the non-integrated form requires the transfer of the ownership of innovation from the customer to the research unit. If the research unit is financially constrained, it may not be able to compensate the customer for the transfer of the innovation. The effect of this financial constraint is examined in this section.

Assume now that the customer has the initial ownership of the innovation (and thus all the initial bargaining power) and that the research unit has zero initial wealth. At the beginning of the game, the customer decides the optimal organization form as follows. The first choice open to the customer is to maintain the ownership of the innovation and integrate the research unit as one of its divisions. In this case, the customer pays for the investment expenditure K. This choice generates exactly the same case as the integrated form discussed in the previous section.

In alternative, the customer may transfer the ownership of the innovation to the research unit in exchange for a certain payment, T. If this option is chosen, the research unit must sustain the investment

<sup>&</sup>lt;sup>18</sup> Lerner and Tsai (1999) document the cyclicality of external equity financing available to biotechnology firms, and its impact on the structure of research agreements with their downstream costumers.

K. Given the presence of financial constraints, the research unit must raise the funds necessary to make the payment T to the customer and to pay for the investment K by selling equity to an external, independent venture capitalist. Such equity stakes represent claims (held by an outside investors) on the licencing fees paid by the customer to the research unit in the event an innovation is successfully obtained. Since the payment of licencing fees to research units are verifiable, these equity claims are feasible.<sup>19</sup> We denote this choice as *independent venture capital financing* (IVC). The difference with the model with no financial constraint is that now, if the customer has chosen the non-integrated form, selling equity in the private equity market dilutes the ownership of the research unit insiders' and therefore reduces the amount of effort exerted in equilibrium by the research unit.

The customer chooses the payment T under the anticipation of its negative impact on the research unit's incentives. In fact, the negative impact on incentives may make it desirable for the customer to reduce the required payment T in order to limit the amount of external equity raised by the research unit (and thus restore its incentives). In some cases, the customer may be willing to accept a negative payment T, that is to subsidize the research unit. Such subsidy T, which we denote as *corporate venture capital* (CVC), reduces the need for the research unit to issue outside equity in the private equity markets to finance the investment expenditure K.<sup>20</sup> In extreme situations, it may even be desirable for the customer to set  $T_i = -K$ , that is to transfer the ownership of the innovation to the research unit at no cost, financing entirely the initial investment. We denote these arrangements as *strategic alliances* (S).<sup>21</sup>

The main advantage of corporate venture capital and strategic alliances is that, contrary to independent venture capital, these forms of financing do not have a negative impact on the research unit's incentives. This property depends on the fact that the division of the surplus between customers and

<sup>&</sup>lt;sup>19</sup> Also, such equity claims are contracts between the research unit and a third party, and will survive renegotiation; see Aghion and Tirole (1994), page 1193.

<sup>&</sup>lt;sup>20</sup>These transfers from the customers to the research unit may be interpreted either as an advance on future licencing fees, or as payments in exchange of an equity stake.

<sup>&</sup>lt;sup>21</sup>Note that "corporate venture capital" and "research alliances" represent two different forms in which downstream firms finance upstream research units. Corporate venture capital typically characterizes smaller investments, often made in conjunction with independent venture capital. Strategic alliances, instead, characterize more substantial investments, where a greater portion of the capital expenditures are financed by the downstream firm.

research units is determined entirely by the initial allocation of the property rights of the innovation. Remember that an equity claim held by the downstream customer (differently from an equity claim held by an outside investor) can be renegotiated away and it will have no effect on the allocation the surplus between the parties and, therefore, no adverse impact on incentives. This implies that corporate venture capital and research alliances have a strategic value because, by limiting dilution, they preserve incentives and promote research effort. Corporate venture capital and research alliances, thus, emerge endogenously as a source of financing alternative to independent venture capital which can be used as a strategic tool in the R&D race.

The game now unfolds as follows. At the beginning of the game, t = 1, each customer chooses whether to maintain the ownership of the innovation and to integrate the research unit, or to transfer the ownership of the innovation to the research unit in exchange for a payment  $T_i$ , i = 1,2. In this latter case, research units sell a fraction of equity,  $1 - \phi_i$ , to independent venture capitalists in order to raise  $T_i + K$ each. Each research unit retains a fraction of equity  $\phi_i$ . The amount of external capital that the research unit must raise depends on payment  $T_i$  required by the customer and on the investment expenditure K.

At t = 2, each customer-research unit pair chooses the amount of effort to exert in the research stage of the game, as in the basic game, given the choice of organization structure and the fraction of external equity finance, 1-  $\phi_{i}$ . After this, the game unfolds as before.

If both customers have chosen the integrated form, the Nash-equilibrium of the R&D race is given again by Lemma 3. If instead both customers have chosen in the first stage to transfer the ownership of the innovation to the research units, each research unit chooses the amount of effort to be exerted given the fraction of equity retained,  $\phi_i$ . Thus, given total effort  $\epsilon_j$  chosen by the rival pair j, the levels of effort solve

$$\max_{\mathbf{e}_{i}} \pi_{\mathrm{RU}}^{\mathbf{\phi}_{i}} = (\alpha \ \mathbf{e}_{i} + \mathbf{E}_{i}) \left( \frac{\mathbf{q}}{2} - \frac{\mathbf{L}}{2} \ \mathbf{e}_{j} \right) \mathbf{\phi}_{i} - \frac{\kappa}{2} \ \mathbf{e}_{i}^{2}$$
s.t.  $0 \le \alpha \ \mathbf{e}_{i} + \mathbf{E}_{i} \le 1, \mathbf{e}_{i} \ge 0,$ 
(18)

for the research unit, and

$$\max_{\mathbf{E}_{i}} \pi_{\mathbf{C}}^{\phi_{i}} = (\alpha \ \mathbf{e}_{i} + \mathbf{E}_{i}) \left( \frac{\mathbf{q}}{2} - \frac{\mathbf{L}}{2} \ \mathbf{e}_{j} \right) - \frac{\kappa}{2} \mathbf{E}_{i}^{2}$$
s.t.  $0 \le \alpha \ \mathbf{e}_{i} + \mathbf{E}_{i} \le 1, \mathbf{E}_{i} \ge 0$ , (19)

for the customer. We have the following.

### *Lemma 5.* The reaction functions corresponding to the optimization problems (18) and (19)

are given, respectively, by:

$$\mathbf{e}_{i}^{\mathbf{\Phi}_{i}} = \frac{\alpha \, \mathbf{\Phi}_{i}}{2 \kappa} \left( \mathbf{q} - \mathbf{L} \, \boldsymbol{\epsilon}_{j} \right), \quad \mathbf{E}_{i}^{\mathbf{\Phi}_{i}} = \frac{1}{2 \kappa} \left( \mathbf{q} - \mathbf{L} \, \boldsymbol{\epsilon}_{j} \right). \tag{20}$$

The total probability of success corresponding to the effort levels (20) is now given by

$$\mathbf{R}_{i}^{\phi_{i}}(\epsilon_{j}) = \frac{1 + \phi_{i} \alpha^{2}}{2\kappa} (\mathbf{q} - \mathbf{L} \epsilon_{j}).$$
<sup>(21)</sup>

By comparison of (8) and (21) we obtain that

$$R_i^{I}(\epsilon_j) \ge R_i^{\phi_i}(\epsilon_j)$$
 iff  $\alpha \phi_i \le 1$ . (22)

Equation (22) reveals that, similarly to our basic game, the choice of organizational form has again a strategic effect on the R&D race. By choosing the appropriate organization and financing forms, a customer-research unit pair can commit to a more aggressive posture in the R&D race. The difference with the basic case is that now the non-integrated organization will require some external finance from an independent venture capitalist. The presence of external finance has the effect of weakening the research unit's incentives to exert effort in the research stage. The presence of financial constraints, thus, by reducing effort expended by the research unit, limits the strategic value of the non-integrated organization form.

Let  $\{\epsilon_i(\phi_i;\phi_j),\epsilon_j(\phi_i;\phi_j)\}$  be the Nash-equilibrium of the research stage, given the amount of external financing 1-  $\phi_i$  chosen in the financing game.<sup>22</sup> From (21) it is easy to verify that, as expected, the amount of total research effort exerted by pair i is an increasing function of the fraction of equity retained by the research unit,  $\phi_i$ , and a decreasing function of the fraction of equity retained by the rival pair's research unit,  $\phi_j$ , i,j = 1,2. Thus, the choice of the financing of innovation, by affecting the research unit's incentives to exert effort, has itself a strategic effect on the outcome of the R&D race and

<sup>&</sup>lt;sup>22</sup>The Nash-equilibrium of the research stage is characterized in Lemma A1 in the Appendix.

therefore a strategic value to the customer. This implies that, under competition, a customer may make a strategic use of corporate venture capital by (partially) funding the investment costs K. This direct investment limits the research unit's need to fund investment through independent venture capital and, by increasing equity retention, preserves its incentives. In this way, the customer secures for itself a strategic advantage in the R&D race.

Consider now the choice of the payment,  $T_i$ , that a customer requires for the allocation of the property rights of the innovation to the research unit, if such organization structure is chosen. The choice of the amount of the payment  $T_i$  is made by the customer with the anticipation of the extent of venture capital financing 1 -  $\phi_i$  necessary to raise the required amount  $T_i$  and to pay for the investment costs K. Thus, the pair  $\{T_i, \phi_i\}$  is determined by maximizing the customer's total profit  $\pi_c^{\phi}$ , that is:

$$\max_{\{\phi_{i}, T_{i}\}} \pi_{C}^{\phi} = \epsilon_{i}(\phi_{i}, \phi_{j}) \left( \frac{q}{2} - \frac{L}{2} \epsilon_{j}(\phi_{i}, \phi_{j}) \right) + T_{i} - \frac{\kappa}{2} \left( E_{i}(\phi_{i}, \phi_{j}) \right)^{2}$$

$$s.t. T_{i} + K_{i} \leq \epsilon_{i}(\phi_{i}, \phi_{j}) \left( \frac{q}{2} - \frac{L}{2} \epsilon_{j}(\phi_{i}, \phi_{j}) \right) (1 - \phi_{i}).$$

$$(23)$$

The optimal choice of the payment,  $T_{i}$ , and the fraction of equity retained,  $\phi_i$ , are determined by the customer as the outcome of the trade-off of three effects. The first is the effect on incentives, and it reflects the positive impact of equity retention  $\phi_i$  on the research unit's effort choice,  $\epsilon_i$ . All else equal, a greater retention  $\phi_i$  leads to higher effort by the research unit and thus to a greater success probability  $\epsilon_i$ . This benefits the customer directly, by increasing the expected value of its share of total surplus, and indirectly, by raising the value of the shares the research unit sells to the independent venture capitalist (which relaxes the research units' budget constraint and allows a larger payment  $T_i$ ). The second effect is strategic, and it reflects the negative impact of retention  $\phi_i$  on the rival pair's total effort  $\epsilon_j$  that arises in the equilibrium of the R&D game. As before, this effect will benefit the customer directly, by increasing its expected surplus, and indirectly, by allowing a bigger payment  $T_i$ . These two factors alone induce the customer to prefer a higher retention rate  $\phi_i$ . The third factor is the negative effect of the retention  $\phi_i$  on the size of the payment  $T_i$ . This effect is due to the fact that increasing the research unit's equity retention  $\phi_i$  limits, all else equal, the ability to raise funds from an external venture capitalist and thus reduces the size of the payment  $T_i$ . This is a *rent extraction* effect, and it represents the cost of

giving the research unit incentives through equity retention. The optimal payment  $T_i$  and the fraction of equity sold to a venture capitalist 1 -  $\phi_i$  are determined by trading off the advantages of the strategic and incentive effects of equity retention against the disadvantage of a lower payment,  $T_i$ . We can now characterize the Nash-equilibrium of the financing subgame.

**Proposition 4.** (The financing of innovation) The unique symmetric Nash-equilibrium  $(\phi^{N*}, \phi^{N*})$  of the research unit financing stage is given by the following:

(i)	$\mathbf{\Phi}^{\mathbf{N}^*} = 0$	for $0 \le \alpha \le \alpha_0(L)$ ;	
(ii)	$\phi^{N^*} = \phi^{N}(\alpha, L)$	for $\alpha_0(L) < \alpha < \alpha_1(L);$	(24)
(iii)	$\mathbf{\Phi}^{N^*} = 1$	for $\alpha \geq \alpha_1(L)$ .	

Furthermore, the thresholds levels  $\alpha_0(L)$  and  $\alpha_1(L)$  are decreasing functions of L.

The optimal amount of equity retention by the research unit,  $\mathbf{\phi}^{N}(\boldsymbol{\alpha}, L)$  depends on both the productivity parameter  $\boldsymbol{\alpha}$  and the expected losses L as follows.

*Proposition 5. (Comparative statics)* The equilibrium amount of equity retention by the research unit in the financing stage  $\phi^{N}(\alpha, L)$  is an increasing function of both the research unit's productivity,  $\alpha$ , and the expected competitive losses, L.

The strategic implications of the financing of innovation may be seen again by contrasting the competitive case of Proposition 4 with the monopolistic case, characterized in the following proposition.

*Proposition 6. (The financing of innovation under monopoly)* Under monopoly, the customer will optimally finance the research unit as follows:

- (i)  $\phi^{M^*} = 0$  for  $\alpha \leq \sqrt{2}/2$ ;
- (ii)  $\phi^{M^*} = \phi^M(\alpha) \equiv 1 1/2\alpha^2 < 1$  for  $\alpha > \sqrt{2}/2$ .

Furthermore,  $\partial \phi^{M}(\alpha)/\partial \alpha > 0$ , and  $\phi^{M}(\alpha) < \phi^{N}(\alpha, L)$  for  $L > 0, \alpha > \sqrt{2}/2$ .

Consider first the monopolistic case. When the productivity of the research unit is sufficiently low, that is  $\alpha \leq \sqrt{2}/2$ , the monopolistic customer derives little benefits from promoting the research unit's effort through equity retention. The rent extraction effect dominates the incentive effect and the customer prefers to increase the amount of the payment T<sub>i</sub> by setting  $\phi_i = 0$ . At higher productivity levels,  $\alpha$  $>\sqrt{2}/2$ , the monopolistic customer finds it desirable to ameliorate the research unit's incentives by promoting equity retention; thus  $\mathbf{\phi}_i > 0$ . The optimal retention  $\mathbf{\phi}_i$  is determined by trading off the benefits of retention on incentives against the ability to extract the payment  $T_i$ . It turns out that the incentive effect dominates the rent extraction effect, and the optimal retention  $\mathbf{\phi}_i$  is an increasing function of the research unit's productivity.

Consider now the competitive case of Proposition 4. When the productivity of the research unit is sufficiently low, that is for  $\alpha \leq \alpha_0(L=1)$ , the choice of financing in the monopolistic and competitive cases coincide, with  $\phi^* = 0$ . In this range, research units have low productivity and equity incentives have little effect on the success probability, with little benefit to customers. Thus, as in the monopolistic case, the rent extraction effect dominates, and the customer prefers a greater use of external venture capital financing, which allows a larger payment T<sub>i</sub>.

For  $\alpha > \alpha_0(L)$ , optimal financing in the monopolistic and competitive cases, however, differ. In the competitive case, the customers will, in equilibrium, give the research units an equity stake  $\phi_i$  which is greater (strictly greater for  $\alpha > \sqrt{2}/2$ ) than under monopoly. The reason for the divergence between the two cases is that, under competition, the choice of financing gives the customer an additional strategic advantage in the R&D race. A greater equity retention  $\phi_i$  allows the research unit to maintain better incentives and commits again the pair to a more aggressive stance in the R&D race. A greater retention  $\phi_i$  deters the rival pair from exerting research effort, and increases the pair's probability of success in the race. This added strategic benefit of retention leads in equilibrium to a higher level of  $\phi_i$  under competition than monopoly.

The optimal amount of equity retention  $\mathbf{\Phi}^{N}(\boldsymbol{\alpha}, L)$  depends on both the research unit's productivity,  $\boldsymbol{\alpha}$ , and expected competitive losses L (see Proposition 5). First, when the research unit is more productive, the benefits of improving incentives to exert effort are greater. Thus, the equilibrium equity retention,  $\mathbf{\Phi}^{N}(\boldsymbol{\alpha}, L)$ , is an increasing function of the productivity of the research unit. Second, for a given level of research unit's productivity,  $\boldsymbol{\alpha}$ , the strategic benefits of financing will be larger when competition is stronger and the expected competitive losses L are greater. Thus, the equilibrium equity retention  $\mathbf{\Phi}^{N}$  will be greater when the competition in the R&D race is more intense, or when the research is at a more advanced stage, that is probability q is higher.

Finally, when the research unit's productivity is sufficiently high,  $\alpha > \alpha_1(L)$ , the best strategy for the customer is to maximize the research units' effort by giving the research unit full ownership of the innovation and requiring no outside venture capital financing, setting  $\phi^* = 1$ . In this case, the payment T<sub>i</sub> is negative and it is equal the monetary investment cost: T<sub>i</sub> = - K. This is a case of a pure strategic alliance, in which the research unit has the full ownership of the innovation while the customer pays for the cost K. Note that, since  $\phi^{M^*} < 1$ , this cases will never arise under pure monopoly. Thus, strategic alliances emerge in our paper as optimal response to competitive pressure in the R&D race.

We can now examine the choice of organizational form made at the beginning of the game.

Proposition 7. (Ownership and financing of innovation) Let  $\kappa \geq \kappa_0$  (defined in the Appendix). Then, there are critical values { $\alpha_1(L)$ ,  $\alpha_{I\phi}(L)$ ,  $\alpha_{\phi}(L)$ ,  $\alpha_s(L)$ } such that:

- ii) if  $\alpha_{I\phi}(L) \le \alpha < \alpha_{\phi}(L)$ : one research unit is integrated with its customer, while its rival is non-integrated and is partially financed by an independent venture capitalist;
- ii) if  $\alpha_{\phi}(L) \leq \alpha < \alpha_{s}(L)$ : both research units are non-integrated, and they are partially financed by independent venture capitalists;
- iii) if  $\alpha_s(L) \le \alpha \le \overline{\alpha}$ : research units are non-integrated, and they are fully financed by their customers in a research alliance.

Furthermore,  $\partial \alpha_{I}(L)/\partial L > 0$  and  $\partial \alpha_{S}(L)/\partial L < 0$ .

The effect of the competitive pressure may again be assessed by contrasting the results of Proposition 7 (displayed in Figure 2) with the monopolistic case, examined in the following proposition.

*Proposition 8. (Ownership and financing under monopoly)* The optimal ownership structure and financing of innovation under monopoly is given by:

i) the research unit is integrated within the customer if  $\alpha < \sqrt{2}(1 + \sqrt{5})/4$ ,

ii) the research unit is non-integrated and partially financed by an independent venture capitalist if  $\alpha \ge \sqrt{2}(1+\sqrt{5})/4$ . Several important observations arise from Proposition 7 and 8, and their comparison with the no financial constraint case examined in the previous section. Consider first the monopolistic case, characterized in Propositions 3 and 8. In the absence of financial constraints (Proposition 3), we know that the optimal organization structure is integration when the productivity of the research unit is below the threshold level  $\alpha = \sqrt{3}/3 < 1$ , and non-integration otherwise. The presence of a financial constraint has the effect of raising the threshold level after which a monopolistic customer prefers to allocate the ownership of the innovation to the productive research unit. This happens because, when the research unit is financially constrained, it may not be able to fully compensate the customer for the transfer of the ownership of the innovation. The research unit partially pays for the transfer of the ownership of the innovation. The research unit partially pays for the transfer of the ownership of the innovation independent venture capitalist, which in turn weakens its effort incentives. Thus, a monopolistic customer is willing to transfer the ownership of the innovation only at higher productivity levels of the research unit, that is for  $\alpha \ge \sqrt{2}(1 + \sqrt{5})/4 > 1 > \sqrt{3}/3$ . Furthermore, the optimal fraction of equity retained by the research unit  $\Phi^{M^*}$  is an increasing function of the research unit's productivity parameter  $\alpha$  (Proposition 6).

Consider now the competitive case. In this case, the optimal organization structure depends on the interaction of the four effects discussed in this paper: the impact of the ownership and financial structure on individual incentives (which in turn depends on the relative productivity of customers and research units), the benefits of knowledge sharing, the strategic effects of the ownership and financing of the innovation, and the rent extraction effect.

When the productivity of the research unit is sufficiently low, that is for  $0 \le \alpha \le \alpha_1(L)$ , the nonintegrated structure provides little incentive and strategic benefits to the customer. Furthermore, in this region the research unit (because of its low productivity) can raise only a limited amount of capital from external venture capitalists. Thus, the incentive and strategic benefits to the customer from switching to the non-integrated organization structure are less than the loss (net of the payment T) from transferring the ownership of the innovation to the research unit, and the optimal organization form is integration.

The threshold level,  $\alpha_{I}(L)$ , depends on the intensity of the competition in the R&D race, and it derives from the trade-off of two effects. The first is the rent extraction effect, and it depends on the fact

that, as the level of competition increases, the customer can extract a lower payment T from the research unit. This happens for two reasons: First, all else equal, greater competition lowers the equity value of the research unit. Second, from Proposition 5, we know that, with greater competition, the customer will optimally increase the research unit's equity retention,  $\mathbf{\phi}_{i}$ , leading in both cases to a lower payment T. The second effect is the strategic value of transferring the innovation to the more productive research unit; this effect is more valuable to the customer when the competitive pressure is high. As it turns out, in this region the first effect dominates, and an increase of the level of competition makes the customer more likely to prefer integration. Also, integration will be optimal when the research involved in the R&D cycle is late-stage research, that is when the parameter q is higher.

For greater levels of  $\alpha$ , that is when  $\alpha \geq \alpha_{\phi}(L)$ , the productivity of the research unit is high enough to make non-integration the optimal organization form. Now, the customer transfers the ownership of the innovation to the research unit, which in turn finances itself either by selling equity only to an independent venture capitalist, or through a mix of independent and corporate venture capital. In this region, the productivity of the research unit is greater than the customer's and the incentive and the strategic effects are sufficiently strong to make the non-integrated form desirable.

The benefits to the customer of non-integration are however tempered by the fact that the research unit may finance itself only partially with independent venture capital and may require some financing from its downstream customer in the form of corporate venture capital. From Proposition 5, we know that the fraction of equity optimally retained by the research unit,  $\Phi^N$ , is an increasing function of both the productivity parameter,  $\alpha$ , and the level of competition, C. Thus, when competition and productivity are relatively low, the research unit will finance itself by selling equity only to an independent venture capitalist. When, instead, either competition or productivity are relatively high, the customer will optimally reduce the research unit's equity sales to independent venture capitalists (and thus increase retention) by funding part of the investment expenditures through direct monetary transfers, that is with corporate venture capital.<sup>23</sup> The proportion of investment financed with corporate venture capital

<sup>&</sup>lt;sup>23</sup>Note that our rational for mixed financing is different from the one proposed in Hellman (2002). In that paper, mixed (syndicated) financing is desirable when the new venture is a substitute of some existing assets owned by strategic investors.

increases with the level of competition C. This implies that, in this region, corporate venture capital and mixed financing emerge endogenously as a strategic response to competitive pressure.

When the productivity of the research unit is sufficiently large, or the R&D race is sufficiently competitive, that is when  $\alpha_{s}(L) \leq \alpha \leq \overline{\alpha}$ , customers will transfer the ownership of the innovation to the research unit at no charge and will pay for the investment K in the context of a strategic alliance. When the research unit's productivity is high and competition is strong, the customer will optimally provide high power incentives to the research unit by transferring the innovation to the research unit and financing investment in its entirety. This arrangement of the organization and financial structure will allow the customer to maximize its benefits from the incentive and strategic effects. Thus, strategic alliances emerge as optimal organizational and financial structures for investment projects characterized by high research productivity in strongly competitive environments.

#### 6. Empirical implications

In this paper we have examined the choice of the optimal ownership and financing of innovation in the context of an R&D race. We have shown that the optimal organization and financing of innovation in a competitive environment depends on both research intensity, which is proxied by the productivity of a research unit relative to its customer, on the intensity of the R&D race, and on the availability of capital to the research unit. The optimal choice of organization and financing emerge as the outcome of the complex interaction of four main effects.

The first effect is the benefit of sharing the cost of knowledge production between the customer and the research unit, and is due to the convexity of cost structures. The second is an incentive effect, and it depends on the property that the organization and financial structure affects the distribution of the surplus between contracting parties and therefore their incentives to exert effort. All else equal, this effect favors integration when the customer is more productive than the research unit, and non-integration otherwise. In non-integrated structures, it also favors equity retention by the research unit, and therefore the use corporate venture capital and strategic alliances as a substitute for independent venture capital.

The third effect is given by the strategic implications of the ownership and financing of

innovation. This effect derives from the strategic value that a customer-research unit pair obtains from choosing an ownership and financial structure that commits the pair to a more aggressive posture in the R&D race. This value is strategic in that it deters the rival pair in the race from exerting effort. This effect favors the organization structure which gives more incentives to the more productive party, and it is more critical when competition in the R&D race is more intense. Finally, the fourth effect is due to the presence of financial constraints, which limit the ability of the customer to extract rents form the research unit and thus internalize the value of the innovation. This effect will favor integration, in which the customer maintains the ownership of the innovation and fully appropriates its value.

The interaction of these effects in our model allows to us to derive several empirical implications that are novel in the literature, summarized in Table II.

*Implication 1 (Integration):* Integration is relatively more likely to emerge when research intensity is lower and competition in the R&D race is more intense or the R&D cycle involves late-stage research. Integration is also more likely when the research unit is financially constrained.

*Implication 2 (Non-integration):* Non-integration (with venture capital financing) is more likely to emerge when research intensity is higher. When research intensity is moderate, non-integration (with venture capital financing) is more likely to emerge when competition in the R&D race is less intense or the R&D cycle involves early-stage research, and when the research unit is not financially constrained.

When the customer is more productive than the research unit, our model predicts that integration is more likely to occur when expected competitive losses are grater, that is when competition in the R&D race is more intense or the R&D cycle involves late-stage research. Conversely, when competition in the R&D race is moderate and the R&D cycle involves early-stage research, customer-research units are more likely to take advantage of the benefits of knowledge sharing offered by non-integrated organization structures, possibly financed by venture capital. These predictions are consistent with the findings in Robinson (2000), showing that mergers are more likely to occur in industries with more mature products and with more concentration. Further, when the research unit is financially constrained, integration occurs (inefficiently) even when the research unit is more productive than the customer. This prediction is consistent with the evidence described in Lerner and Merges (1998) and Lerner and Tsai (1999). These works show that the presence of financial constraints leads biotechnology firms to engage in research agreements which are more unfavorable to them with poorer long term performance.

*Implication 3 (Independent venture capital financing):* Independent venture capital financing, as a fraction of the research unit's equity, is greater when competition in the R&D race is less intense, the R&D cycle involves early stage research, and when research intensity is lower.

*Implication 4 (Corporate venture capital and strategic alliances):* Corporate venture capital financing and strategic alliances are more likely to emerge when research intensity is higher and competition in the R&D race is more intense, or the R&D cycle involves late-stage research.

In our model the extent of independent venture capital financing is limited by the advantage of giving high power incentives to the research unit, and its is linked to its productivity, the intensity of the R&D race, and the development stage of the research involved in the R&D cycle. When competition in the R&D race is more intense, a customer will benefit most from accelerating the race by giving high power incentive to the more productive research unit. This is achieved by entering with research unit into a research alliance or a corporate venture capital agreement. This prediction is consistent with the evidence presented in Robinson (2000), showing that research alliances are more likely in industries with low concentration and low brand equity. Also, Allen and Phillips (2000) show that strategic alliances and corporate venture capital are more valuable in R&D intensive industries, where they lead to increases in capital expenditures and industry adjusted operating cash flows.

*Implication 5 (Stage of production development):* Integration is more likely to emerge for latestage mature products. Non-integration (with venture capital financing) is more likely to emerge for more innovative products and when the product development is at earlier stages

Our model also implies that organization and financial structure is linked to product maturity and the stage of product development. Innovative and early stage products are characterized by high  $\alpha$  and low q. For such products, our model predicts that non-integration and independent venture capital financing should emerge as the optimal organization and financial structures. Conversely, for more mature products and products at later development stage, integration is more likely to emerge as an optimal organization structure.

*Implication 6 (Cyclicality):* Integration is more likely to occur when research units are financially constrained; non-integration is more likely to occur when research units are less financially constrained.

If a research unit is financially constrained, the presence of a wealth constraints may in some cases prevent the transfer of the ownership of the innovation from a customer to its research units, thus integration more likely. If, instead, a research unit is not subject to financial pressure such transfer will optimally occur, making non-integration possible.

#### 7. Conclusions

We have developed a unified theory of integration, venture capital financing and strategic alliances, where the organization and financial structure of innovation emerge as optimal responses to the competitive pressures of the R&D race, the stage of the research and product development, and the severity of the financial constraints. We have shown that integrated organization structures are more likely to emerge when research intensity is lower, competition in the R&D race is more intense or the R&D cycle involves late-stage research, and when the research unit is financially constrained. Conversely, non-integration and venture capital financing is more likely to emerge when research intensity is higher, when competition in the R&D race is less intense or the R&D cycle involves early-stage research unit is not financially constrained. Strategic alliances and corporate venture capital financing are more likely to emerge when research intensity higher. The model has also predictions on the amount of venture capital financing in relation to the intensity of competition in the R&D race and the stage of research and product development.

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#### Table 1: The sequence of events in the basic game

#### • t = 1: Organization choice stage

Each customer (C) and research unit (RU) pair chooses simultaneously their organization structure, that is whether to merge and integrate (I) the RU within the C, or to remain as separate, non integrated entities (N).

#### • t = 2: Research stage

After observing the rival pair's organization structure, each C and RU simultaneously choose their effort levels ( $e_i$ ,  $E_i$ ).

The probability of successfully obtaining an innovation is  $\mathbf{e}_i \equiv \min \{ \boldsymbol{\alpha} \ e_i + E_i; 1 \}$ .

#### • t = 3: Bargaining stage

If the research stage is successful, the C and RU bargain over the distribution of the expected surplus.

If the RU is integrated within the customer (I), the customer extracts all the surplus.

If the RU is non-integrated (N), the research unit and the customer choose a licencing fee that splits the expected surplus equally.

#### • t = 4: Development stage

The C develops the innovation into a final product. The development stage is successful with probability q.

If only one RU-C pair successfully develops the final product, the customer of the successful pair earns monopolistic profit equal to 1.

If both rival pairs successfully develop the final product, each customer earn competitive profit C  $\in [0, 1]$ .

Table II: Summary of main results.



#### APPENDIX

**Proof of Lemma 1.** Consider the first-best problem (2). An effort pair (e,E) with either e = 0 or E = 0 is clearly not optimal. Consider then remaining the Kuhn-Tucker conditions for an optimum, where y is a Lagrangean multiplier:

$$\alpha(q-\epsilon_j L)-\kappa e-\alpha y = 0, \quad q-\epsilon_j L-\kappa E-y = 0, \quad y(1-\alpha e-E) = 0, \quad \alpha e+E \leq 1.$$
 (A1)

Direct calculation shows that the triplet { y = 0,  $e_i = \alpha (q - \epsilon_j L)/\kappa$ ,  $E_i = (q - \epsilon_j L)/\kappa$  } is a solution to (A1) if and only if  $(1 + \alpha^2)(q - \epsilon_j L)/\kappa < 1$ . If  $(1 + \alpha^2)(q - \epsilon_j L)/\kappa \ge 1$ , then the solution is {  $y = q - \epsilon_j L - \kappa/(1 + \alpha^2)$ ,  $E = 1/(1 + \alpha^2)$ ;  $e = \alpha/(1 + \alpha^2)$  }.

**Proof of Proposition 1.** Consider first, from (4), the solution to  $\boldsymbol{\epsilon} = (1 + \boldsymbol{\alpha}^2)[\mathbf{q} - \mathbf{L}\boldsymbol{\epsilon}]/\boldsymbol{\kappa}$ , which is given by  $\boldsymbol{\epsilon}_x \equiv q(1 + \boldsymbol{\alpha}^2)/[\boldsymbol{\kappa} + (1 + \boldsymbol{\alpha}^2)L]$ . If  $q(1 + \boldsymbol{\alpha}^2)/[\boldsymbol{\kappa} + (1 + \boldsymbol{\alpha}^2)L] < 1$  and  $(1 + \boldsymbol{\alpha}^2)L/\boldsymbol{\kappa} < 1$ , then  $\boldsymbol{\epsilon}_x < 1$  and the symmetric Nash-equilibrium of the effort subgame is stable, which is assumed here. Direct substitution of  $\boldsymbol{\epsilon}_x$  into (3) yields (5).

**Proof of Lemma 2.** The first order conditions of the unconstrained version of problems (9) and (10) are  $e_i = \alpha (q - L \epsilon_j)/2 \kappa$  and  $E_i = [q - L \epsilon_j]/2 \kappa$ , respectively. If  $(1 + \alpha^2)(q - L \epsilon_j)/2 \kappa < 1$ , they satisfy (1), and they are also the unique solutions to (9) and (10).

**Proof of Lemma 3.** The equilibrium value of  $\mathbf{\epsilon}^{1,1}$  is obtained by setting, from the reaction function equation (8),  $\mathbf{\epsilon} = (\mathbf{q} - \mathbf{L})\mathbf{\epsilon}/\mathbf{\kappa}$ , and solving for  $\mathbf{\epsilon}$ . The corresponding total profits are obtained by direct substitution into (7). **9 Proof of Lemma 4.** Consider first, from (16), the solution to  $\mathbf{\epsilon} = (1 + \mathbf{\alpha}^2)(\mathbf{q} - \mathbf{L}\mathbf{\epsilon})/2\mathbf{\kappa}$ , which is given by  $\mathbf{\epsilon}_z \equiv \mathbf{q}(1 + \mathbf{\alpha}^2)/[2\mathbf{\kappa} + \mathbf{L}(1 + \mathbf{\alpha}^2)]$ . If  $\mathbf{q}(1 + \mathbf{\alpha}^2)/[2\mathbf{\kappa} + \mathbf{L}(1 + \mathbf{\alpha}^2)] < 1$  and  $(1 + \mathbf{\alpha}^2)\mathbf{L}/2\mathbf{\kappa} < 1$ , then  $\mathbf{\epsilon}_z < 1$  and the symmetric Nash-equilibrium of the effort subgame is stable. In this case, direct substitution of  $\mathbf{\epsilon}_z$  into (11) yields (16). **9 Proof of Proposition 2.** For notational simplicity, in this proof we will define  $S \equiv (1 + \mathbf{\alpha}^2)/2$ . Consider the Nash-equilibrium of the effort choice subgame when in the first stage of the game one of the two customer-research unit pairs has chosen the integrated form, and the other pair has instead chosen the non-integrated form. Without loss of generality, we will denote as pair 1 the customer-research unit pair choosing I, and as pair 2 the customer-research unit pair deviating and choosing N. We follow a procedure similar to the one adopted in the proof of lemma 4. From equations (14) and (16), we have now that, if  $SL^2 < \mathbf{\kappa}^2$  and  $qS(\mathbf{\kappa} - \mathbf{L})/(\mathbf{\kappa}^2 - \mathbf{L}^2S) < 1$ , the Nash-equilibrium of the effort subgame is given by:

$$e_{1}^{I,N} = 0, \qquad E_{1}^{I,N} = \frac{q(\kappa - LS)}{\kappa^{2} - L^{2}S}, \quad \epsilon_{1}^{I,N} = \frac{q(\kappa - LS)}{\kappa^{2} - L^{2}S}$$
(A2)  
$$e_{2}^{I,N} = \frac{q\alpha(\kappa - L)}{2\kappa^{2} - 2L^{2}S}, \quad E_{2}^{I,N} = \frac{q(\kappa - L)}{2\kappa^{2} - 2L^{2}S}, \quad \epsilon_{2}^{I,N} = \frac{qS(\kappa - L)}{\kappa^{2} - L^{2}S}$$

The corresponding equilibrium payoffs are given by:

$$\pi_{RU,1}^{LN} = 0, \ \pi_{C,1}^{LN} = \frac{q^2(2\kappa - 2LS)^2}{2(2\kappa^2 - 2L^2S)^2}, \ \pi_{T,1}^{LN} = \frac{q^2(2\kappa - 2LS)^2}{2(2\kappa^2 - 2L^2S)^2},$$
(A3)

$$\pi_{RU,2}^{LN} = \frac{q^2(1+2S)(\kappa-L)^2}{2(2\kappa^2-2L^2S)^2}, \ \pi_{C,2}^{LN} = \frac{q^2(4S-1)(\kappa-L)^2}{2(2\kappa^2-2L^2S)^2}, \ \pi_{T,2}^{LN} = \frac{3q^2S(\kappa-L)^2}{(2\kappa^2-2L^2S)^2}.$$
(A4)

Consider first the case of (I-I) equilibria. From our previous assumption, the customer-research unit pair deviating from the candidate equilibrium is pair 2. From (A3)-(A4), we have that (I, I) is an equilibrium if and only if

$$\pi_{\rm T}^{\rm I,I} \equiv \frac{\kappa q^2}{2(\kappa + L)^2} \ge \frac{3q^2\kappa (\kappa - L)^2 S}{4(\kappa^2 - L^2 S)^2} \equiv \pi_{\rm T,2}^{\rm I,N}.$$
 (A5)

By direct calculation, it may be verified that, for  $S \le 1$ , inequality (A5) holds if and only if  $L \ge L_1(S)$ , where:

$$L_{I}(S) = \left(\kappa^{2} \frac{\sqrt{6S} - 2}{\sqrt{6S} - 2S}\right)^{\frac{1}{2}}.$$
 (A6)

For S > 1, inequality (A5) never holds, and (I,I) is never an equilibrium.

We turn now to the (N-N) equilibria. In this case, the customer-research unit pair deviating from the candidate equilibrium is pair 1. From Lemma 4 and equations (A2), (N-N) is an equilibrium if and only if

$$\pi_{\rm T}^{\rm N,N} = \frac{3\kappa q^2 S}{(2\kappa + 2LS)^2} \ge \frac{\kappa q^2 (2\kappa - 2LS)^2}{2(2\kappa^2 - 2L^2S)^2} = \pi_{\rm T,1}^{\rm I,N}. \tag{A7}$$

By direct calculation it is easy to verify that for  $S \le 1$  inequality (A7) holds if and only if  $L \le L_N(S)$ , where

$$L_{N}(S) = \left(\kappa^{2} \frac{\sqrt{6S} - 2}{S(\sqrt{6S} - 2S)}\right)^{\frac{1}{2}}.$$
 (A8)

Note that If S > 1, inequality (A8) always holds and (N,N) is always an equilibrium. Note now that  $L_N(2/3) = L_1(2/3) = 0$ , and that  $L_N(1) = L_1(1) = \kappa$ . Furthermore, it may be easily verified that  $L_N(S)$  and  $L_I(S)$  are both increasing and concave functions of S. Comparison of (A5) and (A9) reveals that  $L_N(S) \ge L_I(S)$ . Thus for all (S, L) such that  $L_I(S) \le L \le L_N(S)$  both (I-I) and (N-N) equilibria exist. Finally, from (A5) and (A7) it may be verified that for  $2/3 \le S \le 1$ , we also have

$$\pi_{\rm T}^{\rm N,\rm N} = \frac{3\kappa q^2 S}{(2\kappa + 2\,{\rm L}\,{\rm S})^2} \ge \frac{\kappa q^2}{2\,(\kappa + {\rm L}\,)^2} = \pi_{\rm T}^{\rm I,\rm I}. \tag{A9}$$

and the (N-N) equilibrium Pareto-dominates. Thus, in the presence of multiple equilibria we will assume that both

customer-research unit pairs will choose the Pareto-dominating (N-N) equilibrium. The proof is concluded by setting  $L_{C}(\alpha) \equiv L_{N}[S(\alpha)]$ .

**Proof of Proposition 3.** If  $(1 + \alpha^2)q/2\kappa < 1$ , comparison of total profits under integration and non-integration reveals that non-integration is optimal when  $2/3 \le (1 + \alpha^2)/2 < 1$ . If  $(1 + \alpha^2)/2 > 1$ , non-integration is always optimal.

*Proof of Lemma 5.* The proof of this lemma follows the proof of Lemma 2, and is omitted. 9

*Proof of Proposition 4.* To prove this proposition we need the following Lemma, which characterizes the Nash-equilibrium of the R&D race.

*Lemma A1.* If both customer-research unit pairs are not integrated, the stable, interior and Nash-equilibrium of the R&D race is given by:

$$e_{i}^{\phi_{i},\phi_{j}} = \frac{\alpha q \phi_{i}[2\kappa - L(1 + \alpha^{2}\phi_{j})]}{4\kappa^{2} - L^{2}(1 + \alpha^{2}\phi_{i})(1 + \alpha^{2}\phi_{j})}, \quad E_{i}^{\phi_{i},\phi_{j}} = \frac{q \phi_{i}[2\kappa - L(1 + \alpha^{2}\phi_{j})]}{4\kappa^{2} - L^{2}(1 + \alpha^{2}\phi_{i})(1 + \alpha^{2}\phi_{j})},$$
(A10)
$$e_{i}^{\phi_{i},\phi_{j}} = \frac{(1 + \alpha^{2}\phi_{i})q[2\kappa - L(1 + \alpha^{2}\phi_{j})]}{4\kappa^{2} - L^{2}(1 + \alpha^{2}\phi_{i})(1 + \alpha^{2}\phi_{j})};$$

**Proof of Lemma A1.** Define  $\{ \boldsymbol{\epsilon}_{Y_i} (\boldsymbol{\phi}_i, \boldsymbol{\phi}_j) \boldsymbol{\epsilon}_{Y_i} (\boldsymbol{\phi}_i, \boldsymbol{\phi}_j) \}$  as the (unique) solution to

$$\boldsymbol{\epsilon}_{i} = \frac{1 + \boldsymbol{\phi}_{i} \alpha^{2}}{2\kappa} \left( \boldsymbol{q} - \boldsymbol{L} \boldsymbol{\epsilon}_{j} \right), \ \boldsymbol{\epsilon}_{j} = \frac{1 + \boldsymbol{\phi}_{j} \alpha^{2}}{2\kappa} \left( \boldsymbol{q} - \boldsymbol{L} \boldsymbol{\epsilon}_{i} \right), \tag{A11}$$

which is given by

$$\epsilon_{\gamma_i}(\phi_i,\phi_j) = \frac{(1+\alpha^2\phi_i)q[2\kappa - L(1+\alpha^2\phi_j)]}{4\kappa^2 - L^2(1+\alpha^2\phi_i)(1+\alpha^2\phi_j)}.$$
 (A12)

Direct substitution of  $\boldsymbol{\epsilon}_{Y_j}$  into (19) yields  $\boldsymbol{\epsilon}_1 = \boldsymbol{\epsilon}_{Y_1}$  and  $\boldsymbol{\epsilon}_2 = \boldsymbol{\epsilon}_{Y_2}$ , giving (A10).

We can now proceed to the proof of Proposition 4. Consider problem (23). It is easy to verify that the constraint of problem (23) will always be binding at an optimum (for a given  $\mathbf{\phi}_{i}$ , it will always be optimal to set T<sub>i</sub> to satisfy the constraint as an equality). After substitution of the constraint, we obtain that the first-order conditions of this problem give the system of equations.:

$$\phi_1 = \frac{L^2(1+\alpha^2\phi_2)(1+\alpha^2)+4\kappa^2(2\alpha^2-1)}{\alpha^2[8\kappa^2-(1+\alpha^2\phi_2)(1+2\alpha^2)L^2]}, \quad \phi_2 = \frac{L^2(1+\alpha^2\phi_1)(1+\alpha^2)+4\kappa^2(2\alpha^2-1)}{\alpha^2[8\kappa^2-(1+\alpha^2\phi_1)(1+2\alpha^2)L^2]}.$$
 (A13)

Let  $\{\phi^{N1}, \phi^{N2}\}, \phi^{N1} < \phi^{N2}$ , the solutions to (A13), if they exist. Set  $\phi^N \equiv \phi^{N1}$ , where

$$\phi^{N}(\alpha, L) = \frac{8\kappa^{2} - L^{2}(3\alpha^{2} + 2) - \sqrt{64\kappa \cdot 4 + L^{2}[\alpha^{4}L^{2} - 16\kappa^{2}(4\alpha^{4} + 3\alpha^{2} + 1)]}}{2\alpha^{2}(1 + 2\alpha^{2})L^{2}}, \quad (A14)$$

for L > 0, and  $\mathbf{\Phi}^{N} \equiv (2 \boldsymbol{\alpha}^{2} - 1)/2 \boldsymbol{\alpha}^{2}$  for L = 0. Let first  $\mathbf{\Phi}^{N} \leq 0$ . From the definition of  $\mathbf{\Phi}^{N}$ , it may easily be seen that  $\partial \pi_{\mathbf{C}}^{\Phi}(\mathbf{\Phi}_{i}, \mathbf{0}) / \partial \mathbf{\Phi}_{i} < \mathbf{0}$  for all  $\mathbf{\Phi}_{i} \in [0, 1]$ , for i, j = 1,2. Thus, the Nash-equilibrium of the financing stage is (0,0). Solving  $\mathbf{\Phi}^{N}(\boldsymbol{\alpha}, L) = 0$  for L we obtain that  $\mathbf{\Phi}^{N} \leq 0$  for L  $\leq L_{0N}(\boldsymbol{\alpha})$ , where:

$$L_{0N}(\alpha) \equiv \frac{2\kappa}{1+\alpha^2} \sqrt{(1+\alpha^2)(1-2\alpha^2)}.$$
 (A15)

Define then  $\boldsymbol{\alpha}_{0N}(L)$  as the inverse function of  $L_{0N}(\boldsymbol{\alpha})$ . It is easy to verify that  $L_{0N}(\sqrt{2}/2) = 0$  and that  $\boldsymbol{\alpha}_{0N}(L)$  is a decreasing function of  $\boldsymbol{\alpha}$ . Let now  $0 < \boldsymbol{\varphi}^{N} \le 1$ . From the definition of  $\boldsymbol{\varphi}^{N}$ , we know that  $\boldsymbol{\varphi}^{N}$  is a global maximum of  $\pi_{\mathbf{C}}^{\boldsymbol{\varphi}}(\boldsymbol{\varphi}_{\mathbf{i}}; \boldsymbol{\varphi}^{\mathbf{N}})$  for all  $\boldsymbol{\varphi}_{\mathbf{i}} \in [0, 1]$ . Thus, the pair  $\{\boldsymbol{\varphi}^{N}, \boldsymbol{\varphi}^{N}\}$  is a Nash-equilibrium. From (A14), we have that  $\boldsymbol{\varphi}^{N} \le 1$  for  $L \le L_{1N}(\boldsymbol{\alpha}), \boldsymbol{\alpha} \le \overline{\boldsymbol{\alpha}}$ , where

$$L_{1N}(\alpha) \equiv \frac{2\kappa}{\sqrt{2\alpha^6 + 4\alpha^4 + 3\alpha^2 + 1}}.$$
 (A16)

Define  $\boldsymbol{\alpha}_{1N}(L)$  as the inverse function of  $L_{1N}(\boldsymbol{\alpha})$ . It is easy to verify that  $\boldsymbol{\alpha}_{1N}(L)$  is a decreasing function of  $\boldsymbol{\alpha}$ . Finally, let  $\boldsymbol{\phi}^{N} > 1$ . From the definition of  $\boldsymbol{\phi}^{N}$ , it may easily be seen that  $\partial \pi_{C}^{\boldsymbol{\phi}}(\boldsymbol{\phi}_{i}, \boldsymbol{\phi}^{N}) / \partial \boldsymbol{\phi}_{i} > 0$  for all  $\boldsymbol{\phi}_{i} \in [0, 1]$ , for i, j = 1,2. Thus, the Nash-equilibrium of the financing stage is (1,1). Finally, by direct substitution of (A10) into (23) we obtain in equilibrium customer's profits are given by

$$\pi_{\rm C}^{\phi,\phi} = \frac{\kappa q^2}{2} \frac{2(2-\phi^{\rm N*})(1+\alpha^2\phi^{\rm N*})-1}{[2\kappa + L(1+\alpha^2\phi^{\rm N*})]^2}, \qquad (A17)$$

concluding the proof.

**Proof Proposition 5.** For the purpose of this proof, define  $y \equiv L^2$  and  $x \equiv \alpha^2$ . Since  $0 \le L \le 1$ , and  $\alpha \ge 0$ , these are monotone transformations. From the definition of  $\mathbf{\Phi}^N$ , and differentiating with respect to y, we have:

$$\frac{\partial \phi^{N}}{\partial y} = 4 \kappa^{2} \frac{8 \kappa^{2} - (4 x^{2} y + 3 x y + y) - \sqrt{\Delta}}{y^{2} (1 + 2 x) \sqrt{\Delta}}, \qquad (A18)$$

where  $\Delta = 64\kappa^4 + y[x^2y - 16\kappa^2(4x^2 + 3x + 1)]$ . Since the denominator of (A18) is always positive, and the derivative is positive if and only if:

$$8\kappa^2 - (4x^2y + 3xy + y) > \sqrt{\Delta}. \qquad (A19)$$

Note now that, from (A16), we have that x > 0 and  $\mathbf{\Phi}^{N} < 1$  together imply that  $y < 4\mathbf{\kappa}^{2}/(2x^{3} + 4x^{2} + 3x + 1) < 8\mathbf{\kappa}^{2}/(4x^{2} + 3x + 1)$ . Thus, the LHS of (A19) is positive, and (A18) is positive if and only if

$$[8\kappa^{2} - (4x^{2}y + 3xy + y)]^{2} > \Delta, \qquad (A20)$$

which can be verified to be the case by direct calculation. Differentiating now with respect to x, we obtain that

$$\frac{\partial \phi^{N}}{\partial x} = \frac{(128x+32)\kappa^{4} - 4y(16x^{3}+18x^{2}+11x+2)\kappa^{2}+y^{2}x^{3} - [4\kappa^{2}(4x+1) - y(3x^{2}+4x+1)]\sqrt{\Delta}}{y(1+2x)^{2}x^{2}\sqrt{\Delta}}$$
(A21)

Note that again  $\mathbf{\Phi}^{N} < 1$  implies that  $y < 4 \kappa^{2}/(2x^{2} + 4x^{2} + 3x + 1) < 4 \kappa^{2}(4x + 1)/(4x^{2} + 3x + 1)$ . Thus, the derivative in (A21) is positive if and only if

$$\sqrt{\Delta} < \frac{4y(16x^3 + 18x^2 + 11x + 2)\kappa^2 - y^2x^3 - (128x + 32)\kappa^4}{4\kappa^2(4x + 1) - y(3x^2 + 4x + 1)} \equiv B.$$
(A22)

From (A20), it easy to see that (A22) is verified if  $8 \kappa^2 - 3xy - y - 4yx^2 \le B$ . By direct calculation, the latter inequality is verified if and only if  $y \le 4\kappa^2/(3x^2 + 3x + 1)$ , which is again implied by  $\mathbf{\Phi}^N < 1$ .

Proof of Proposition 6. In the monopolistic case, the customer will solve:

$$\max_{\phi T} \pi_{M}^{\phi} = \epsilon(\phi^{M}) \frac{q}{2} + T - \frac{\kappa}{2} (E)^{2}$$
(A23)  
s.t. T + K =  $\epsilon(\phi^{M}) \frac{q}{2} (1 - \phi_{i})$ ,

where  $E = q/2\kappa$ , and  $\epsilon(\phi) = (1 + \alpha^2 \phi)q/2\kappa$ . Differentiating, we obtain that  $\phi^{M^*} = 0$ , for  $\alpha < \sqrt{2}/2$ , and that  $\phi^{M^*} = \phi^M(\alpha) \equiv 1 - 1/2\alpha^2 < 1$  for  $\alpha > \sqrt{2}/2$ . Finally, from the definition of  $\phi^N$  in (A14) it is easy to show that  $\phi^N > \phi^M$  if and only if (A19) occurs, which we have shown to be the case.

**Proof of Proposition 7.** To prove this proposition we need the following Lemma, which characterizes the Nash-equilibrium of the R&D race when one customer-research unit pair is integrated, while the other is not. Without loss of generality, we will denote again as pair 1 the customer-research unit pair choosing integration, and as pair 2 the customer-research unit pair choosing non-integration. We maintain our assumption that  $\mathbf{\kappa}$  is sufficiently large that  $\mathbf{\epsilon}_i < 1$ , i.j = 1,2 and the Nash-equilibrium is stable.

*Lemma A2.* If one customer-research unit pairs is integrated while the other is not integrated, the Nash-equilibrium of the R&D race is given by:

$$e_{1}^{I,\phi^{I}} = 0, \qquad E_{1}^{I,\phi^{I}} = \epsilon_{1}^{I,\phi^{I}} = \frac{q[2\kappa - L(1 + \alpha^{2}\phi^{I})]}{2\kappa^{2} - L^{2}(1 + \alpha^{2}\phi^{I})}, \qquad (A24)$$

for the integrated pair ( i.e. pair 1), and

$$e_{2}^{I_{1},\phi^{I}} = \frac{\alpha q (\kappa - L)}{2\kappa^{2} - L^{2} (1 + \alpha^{2} \phi^{I})}, \quad E_{2}^{I,\phi^{I}} = \frac{q \phi^{I} (\kappa - L)}{2\kappa^{2} - L^{2} (1 + \alpha^{2} \phi^{I})}, \quad \epsilon_{2}^{I_{1},\phi^{I}} = \frac{(1 + \alpha^{2} \phi^{I}) q (\kappa - L)}{2\kappa^{2} - L^{2} (1 + \alpha^{2} \phi^{I})}, \quad (A25)$$

for the non integrated pair (i.e. pair 2).

**Proof of Lemma A2.** Pair 1 is integrated, and will optimally set  $\{e_1 = 0, E_1 = (q - L \epsilon_2)/\kappa\}$ ; thus  $\epsilon_1 = (q - L \epsilon_2)/\kappa$ .

Pair 2, is non-integrated and will set  $\{e_2 = \boldsymbol{\alpha} \boldsymbol{\phi}^{I}(q - L\boldsymbol{\epsilon}_1)/2\boldsymbol{\kappa}, E_2 = (q - L\boldsymbol{\epsilon}_1)/2\boldsymbol{\kappa}\};$  thus  $_2 = (1 + \boldsymbol{\alpha}^{2}\boldsymbol{\phi}^{I})(q - L\boldsymbol{\epsilon}_2)/2\boldsymbol{\kappa}$ . Solving the Nash-equilibrium gives (A24) and (A25).

The non-integrated pair, pair 2, must now determine the optimal retention  $\mathbf{\Phi}^{I^*}$  by solving problem (22), where the Nash-equilibrium of the effort subgame is given by (A24) and (A25). By direct calculation, the optimal retention  $\mathbf{\Phi}^{I^*}$  is now given by:

$$\begin{split} & \boldsymbol{\varphi}^{I^*} = 0 & \text{for } 0 \leq \boldsymbol{\alpha} \ \# \ \boldsymbol{\alpha}_{01} (L), \\ & \boldsymbol{\varphi}^{I^*} = \ \boldsymbol{\varphi}^{I} (\boldsymbol{\alpha}, L) & \text{for } \boldsymbol{\alpha}_{01} (L) < \boldsymbol{\alpha} \leq \boldsymbol{\alpha}_{11} (L), \\ & \boldsymbol{\varphi}^{I^*} = 1 & \text{for } \boldsymbol{\alpha} \geq \boldsymbol{\alpha}_{11} (L), \end{split}$$
(A26)

where

$$\phi^{I}(\alpha, L) = \frac{L^{2}(1 + \alpha^{2}) + 2\kappa^{2}(2\alpha^{2} - 1)}{\alpha^{2}[4\kappa^{2} - L^{2}(1 + 2\alpha^{2})]}, \qquad (A27)$$

and  $\boldsymbol{\alpha}_{01}$  (L),  $\boldsymbol{\alpha}_{11}$  (L) are implicitly defined by setting  $\boldsymbol{\phi}^{1}$  ( $\boldsymbol{\alpha}$ , L) = 0 and  $\boldsymbol{\phi}^{1}$  ( $\boldsymbol{\alpha}$ , L) = 1, respectively. Customers' equilibrium profits in the integrated, pair 1, and non-integrated pair 2 are given by:

$$\pi_{C1}^{I,\phi} = \frac{q^2 \kappa [2\kappa - L(1 + \alpha^2 \phi^{I*})]^2}{2[2\kappa^2 - L^2(1 + \alpha^2 \phi^{I*})]^2} .$$
(A28)

$$\pi_{C2}^{I,\phi} = \frac{\kappa q^2 (\kappa - L)^2 [2 (2 - \phi^{I*}) (1 + \alpha^2 \phi^{I*}) - 1]}{2 [2 \kappa^2 - L^2 (1 + \alpha^2 \phi^{I*})]^2}, \qquad (A29)$$

Consider an (I,I) equilibrium. Integration is a symmetric Nash-equilibrium when  $\pi_{\mathbf{C}}^{\mathbf{I},\mathbf{I}} = \kappa q^2/2(\kappa + L)^2 \ge \pi_{\mathbf{C2}}^{\mathbf{I},\boldsymbol{\phi}}$ . Let  $0 \le \boldsymbol{\alpha} \le \boldsymbol{\alpha}_{01}(L)$ , where  $\boldsymbol{\phi}^{1*} = 0$ . By direct comparison, we have that  $\pi_{\mathbf{C}}^{\mathbf{I},\mathbf{I}} \ge \pi_{\mathbf{C2}}^{\mathbf{I},\boldsymbol{\phi}}$  if and only if  $0 < L < 1 < (2 + 2\sqrt{3})^{\frac{1}{2}}\kappa/2$ . Consider now the case in which where  $\boldsymbol{\alpha}_{01}(L) < \boldsymbol{\alpha} \le \boldsymbol{\alpha}_{11}(L)$ , where  $\boldsymbol{\phi}^{1*} = \boldsymbol{\phi}^1(\boldsymbol{\alpha}, L)$ . In this case, by direct comparison, it may be verified that  $\pi_{\mathbf{C}}^{\mathbf{I},\mathbf{I}} \ge \pi_{\mathbf{C2}}^{\mathbf{I},\boldsymbol{\phi}}$  if and only if  $\boldsymbol{\alpha}_{01}(L) < \boldsymbol{\alpha} < B_1(L)$ , where

$$B_{1}(L) = \sqrt{\frac{3\kappa^{4} - L^{4} + \sqrt{[\kappa^{2}(\kappa^{2} + 2L^{2}) - 2L^{4}][L^{4} - \kappa^{2}(2L^{2} - 5\kappa^{2})]}{4\kappa^{4} + 3L^{4}}}$$
(A30)

Finally, consider the case in which  $\boldsymbol{\alpha} > \boldsymbol{\alpha}_{11}$  (L), where  $\boldsymbol{\phi}^{1*} = 1$ . In this case, by direct comparison, it is easy to verify that  $\boldsymbol{\pi}_{C}^{I,I} \ge \boldsymbol{\pi}_{C2}^{I,\phi}$  if and only if  $\boldsymbol{\alpha}_{11}$  (L)  $< \boldsymbol{\alpha} < B_2$ (L), where

$$B_2(L) \equiv \sqrt{\frac{\kappa(\kappa^3 - \sqrt{\kappa^6 - 3L^4\kappa^2 + 2L^6})}{L^4}}$$
(A31)

Define then  $\boldsymbol{\alpha}_{I}(L) \equiv \min \{ \overline{\boldsymbol{\alpha}} ; B_{I}(L) \}$  if  $\boldsymbol{\alpha} \leq \boldsymbol{\alpha}_{II}(L)$ , and  $\boldsymbol{\alpha}_{I}(L) \equiv \min \{ \overline{\boldsymbol{\alpha}} ; B_{2}(L) \}$  if  $\boldsymbol{\alpha} > \boldsymbol{\alpha}_{II}(L)$ .

Consider now a (N,N) equilibrium. Non-integration is a symmetric Nash- equilibrium when  $\pi_{\mathbf{C}}^{\phi,\phi} \geq \pi_{\mathbf{C1}}^{\mathbf{I},\phi}$ , where  $\pi_{\mathbf{C}}^{\phi,\phi}$  is defined in (A17) and  $\boldsymbol{\Phi}^{N^*}$  is defined in (27). Let  $0 \leq \boldsymbol{\alpha} \leq \min \{\boldsymbol{\alpha}_{01}(L), \boldsymbol{\alpha}_{0N}(L)\}$  so that  $\boldsymbol{\Phi}^{I^*} = \boldsymbol{\Phi}^{N^*}$  = 0. In this case, by direct calculation it is easy to verify that  $\pi_{\mathbf{C}}^{\boldsymbol{\phi},\boldsymbol{\phi}} = 3/(2\kappa + L^2)^2 < (2\kappa - L)^2/(2\kappa^2 - L^2) = \pi_{\mathbf{C}\mathbf{1}}^{\mathbf{I},\boldsymbol{\phi}}$ . Thus, in this range, (N,N) is not a Nash-equilibrium. Consider now  $\boldsymbol{\alpha}$  such that max  $\{\boldsymbol{\alpha}_{11}(L), \boldsymbol{\alpha}_{1N}(L)\} \le \boldsymbol{\alpha} \le \overline{\boldsymbol{\alpha}}$ . In this region, we have that  $\boldsymbol{\phi}^{1*} = \boldsymbol{\phi}^{N*} = 1$ . Direct calculation shows that  $\pi_{\mathbf{C}}^{\boldsymbol{\phi},\boldsymbol{\phi}} \ge \pi_{\mathbf{C}\mathbf{1}}^{\mathbf{I},\boldsymbol{\phi}}$ , if and only if

L > L<sub>N1</sub>(
$$\alpha$$
) =  $\left[ 2\kappa^2 \frac{1 - (1 - \alpha^2)\sqrt{2\alpha^2 + 1}}{\alpha^4(\alpha^2 + 1)} \right]^{\frac{1}{2}}$ . (A32)

It easy to show that the inequality in (A32) is always verified for  $\boldsymbol{\alpha} \geq (3/2)^{\frac{1}{2}}$ . Consider now  $\boldsymbol{\phi}^{\mathrm{I}}(\boldsymbol{\alpha}, \mathrm{L}, \boldsymbol{\kappa})$  and  $\boldsymbol{\phi}^{\mathrm{N}}(\boldsymbol{\alpha}, \mathrm{L}, \boldsymbol{\kappa})$ . It is easy to verify that  $\boldsymbol{\phi}^{\mathrm{I}}(\boldsymbol{\alpha} = (3/2)^{\frac{1}{2}}, \mathrm{L} = 1, \boldsymbol{\kappa}) > 1$  for  $\boldsymbol{\kappa} > 2.31$ . Similarly,  $\boldsymbol{\phi} \mathrm{N}(\boldsymbol{\alpha} = (3/2)^{\frac{1}{2}}, \mathrm{L} = 1, \boldsymbol{\kappa}) > 1$  for  $\boldsymbol{\kappa} > 2.16$ . This implies that  $\pi_{\mathbf{C}}^{\boldsymbol{\phi}, \boldsymbol{\phi}} > \pi_{\mathbf{C}\mathbf{I}}^{\mathbf{I}, \boldsymbol{\phi}}$  for  $\boldsymbol{\kappa} \geq \boldsymbol{\kappa}_0 \equiv 2.31$ . Let then  $\boldsymbol{\alpha}_{\mathrm{S}}(\mathrm{L}) \equiv \max \{ \boldsymbol{\alpha}_{0\mathrm{I}}(\mathrm{L}), \boldsymbol{\alpha}_{0\mathrm{N}}(\mathrm{L}) \}$ .

Define now  $\Delta(\alpha, L, \kappa) \equiv \pi_{C}^{\phi, \phi}(\alpha, L, \kappa) - \pi_{C1}^{I, \phi}(\alpha, L, \kappa)$ . We have already shown that for  $\alpha \leq \min \{\alpha_{01}(L), \alpha_{01}(L)\}$  we have that  $\Delta(\alpha, L, \kappa) < 0$ . If max  $\{\alpha_{01}(L), \alpha_{01}(L)\} \leq \alpha \leq \overline{\alpha}$ , we have just shown that in this region we have that  $\pi_{C}^{\phi, \phi} > \pi_{C1}^{I, \phi}$  for  $\kappa \geq \kappa_{0}$ . Thus, there exists at least one  $\alpha(L)$  such that  $\Delta(\alpha, L, \kappa) = 0$ . By direct numerical calculation it may be shown that for  $\kappa \geq 2$ , there is a unique value  $\alpha(L) > 1$  such that  $\Delta(\alpha, L, \kappa) = 0$ . Define then  $\alpha_{\phi}(L)$  such that  $\Delta(\alpha_{\phi}(L), L, \kappa) = 0$ . Let now min  $\{\alpha_{01}(L), \alpha_{01}(L)\} < \alpha < \max\{\alpha_{11}(L), \alpha 1N(L)\}$ . If  $\Delta(\overline{\alpha}, L, \kappa) > 0$ , then, again, for  $\kappa \geq 2$ , by direct numerical calculation it may be shown that there exists at least one  $\alpha(L)$  such that  $\Delta(\alpha, L, \kappa) = 0$ . In this case, define again  $\alpha_{\phi}(L)$  such that  $\Delta(\alpha_{\phi}(L), L, \kappa) = 0$ . If instead,  $\Delta(\overline{\alpha}, L, \kappa) < 0$ , then define  $\alpha_{\phi}(L) \equiv \overline{\alpha}$ .

For  $\boldsymbol{\alpha}_{1}(L) < \boldsymbol{\alpha} < \boldsymbol{\alpha}_{\phi}(L)$  we have that  $\boldsymbol{\pi}_{C1}^{\mathbf{I},\phi} > \boldsymbol{\pi}_{C}^{\phi,\phi}$  and  $\boldsymbol{\pi}_{C}^{\mathbf{I},\mathbf{I}} < \boldsymbol{\pi}_{C2}^{\mathbf{I},\phi}$ . Thus, the strategy combination in which one customer chooses integration, while the other customer chooses non integration, is an asymmetric Nash-equilibrium. Finally, by direct differentiation, it may be verified that  $\partial \boldsymbol{\alpha}_{1}(L)/\partial L > 0$ , if  $\boldsymbol{\kappa} > 2.0402$ . Direct inspection of (A16) also shows that  $\partial \boldsymbol{\alpha}_{s}(L)/\partial L < 0$ .

**Proof of Proposition 8.** For  $\alpha < \sqrt{2}/2$ , we have  $\phi^{M*} = 0$ . In this case,  $\pi_{\mathbf{M}}^{\mathbf{I}} = q^2/2\kappa > 3q^2/8\kappa = \pi_{\mathbf{M}}^{\mathbf{N}}$  and integration is optimal. If  $\alpha \ge \sqrt{2}/2$ , we have  $\phi^{M}(\alpha) \equiv 1 - 1/2\alpha^2$ . In this case

$$\pi_{\mathbf{M}}^{\mathbf{I}} = \frac{\mathbf{q}^2}{2\kappa} < \frac{\mathbf{q}^2}{16} \frac{4\alpha + 2\alpha^2 + 1}{\kappa\alpha^2} = \pi_{\mathbf{M}}^{\mathbf{N}}$$
(A33)

for if  $\alpha \ge \sqrt{2}(1 + \sqrt{5})/4$ , and non-integration is optimal.



Figure 1: Organization structure and the Nash-Equilibrium of the R&D subgame. The figure shows the effect of organization structure on the Nash-equilibrium of the R&D subgame. When both research units are integrated, the Nash-equilibrium of the R&D subgame is given by the point A, the intersection of the two pair's reaction functions under integration. If pair 1 is non-integrated, the Nash-equilibrium is given by point B, if  $\alpha > 1$ , and by point C, if  $\alpha < 1$ .



Figure 2: The ownership and financing of innovation. The figure displays the equilibrium choice of organization and financing of innovation as a function of the productivity of the research unit,  $\alpha$ , and expected competitive losses, L.

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